

# Example 12.7: DyMn<sub>6</sub>Ge<sub>6</sub>

Incommensurate magnetic structure –  $k=(0,0,0.1651)$ ;  $k=(0,0,0)$

Revised: 18 October 2019

## DyMn<sub>6</sub>Ge<sub>6</sub>

Neutron powder data measured at 11K on DMC at PSI (Switzerland)

Available at the Bilbao crystallographic server, database magndata, #1.1.10

References:

J. Rodríguez-Carvajal & F. Bourée, EPJ Web of Conferences **22**, 00010 (2012)

P. Schobinger-Papamantellos et al, Journal of Alloys and Compounds, 203 (1994) 243

Input files: **dymn6ge6.dat** (powder profile data)  
**dymn6ge6\_nuclear.cif** (nuclear structure)

### 1. *Creating new jobname*

Start Jana2006

“File → Structure → New” opens a file manager

Left pane: locate directory with input files

Right pane: double-click dymn6ge6

### 2. *Import Wizard*

Select “Magnetic parent structure: nuclear model from CIF”; NEXT

Right pane: select the input file dymn6ge6\_nuclear.cif; OK

### 3. *Define magnetic propagation vector and form factors*

[On the screen: Define magnetic propagation vector and form factors]

Choose the “Number of non-zero magnetic propagation vectors” to ‘1’ and fill its value: 0 0.1651

Select atom type Dy; check “Use as a magnetic atom”; select “Magnetic formfactor <j0>” Dy<sup>3+</sup>;

Select atom type Mn; check “Use as a magnetic atom”; select “Magnetic formfactor <j0>” Mn<sup>3+</sup>;

NEXT; FINISH

*The parent structure is created*

### 4. *Import the reflection file*

[On the screen: Specify type of the file to be imported]

Select “Various CW format”; NEXT;

Check that the name of the input file is “dymn6Ge6.dat” and the format is “PSI format”;

Select “Debye-Scherrer method”

NEXT

[On the screen: Complete/correct experimental parameters];

Fill used wavelength 1.7037; Temperature 11; NEXT; FINISH

[On the screen: Data repository]

OK; YES to “Do you want to accept made changes?”

## 5. Refining of profile parameters by the le Bail technique.

[On the screen: Information]

NEXT

[On the screen: Refinement of the powder profile by the le Bail algorithm]

“Show powder profile”

The background is relatively smooth and it can be described without introducing manual background.

“Quit”;

“Edit profile parameters”;

[On the screen: Powder options]

In page “Cell” activate refinement of a and c parameters and the third component of the modulation vector – q3;

In the page “Profile” keep the starting value of GW to 50 and activate its refinement;

In the page “Corrections” activate refinement of “shift” parameter and change the number of used Legendre polynomials to 10

OK; YES to save the changes

“Edit refinement commands”; In the page “Basic” change the number of cycles to 20; OK

“Run Refine”;

The refinement should converge to  $R_p \sim 4.95\%$ .

“Edit profile parameters”;

[On the screen: Powder options]

In the page “Profile” activate refinement of GU and GV

Change the peak-shape function to pseudo-Voigt and activate refinement LX

OK; YES to save the changes

“Run Refine”

The refinement should converge to  $R_p \sim 2.98\%$ .

“Show powder profile”

Select the region  $2\theta$  from 30 to 45 degs – use the button “X exactly”. A couple of observed peaks may correspond to some impurity. Also at about  $2\theta = 5$ , an anomaly in the background is observed. No peaks are possible there.

“Quit”;

“Edit profile parameters”;

[On the screen: Powder options]

In page “Corrections”, press button “Define excluded regions” : from 0 to 7; “Add”, “OK”, “OK”;

“Run Refine”;

The refinement should end with  $R_p \sim 2.90\%$ .

NEXT; YES to leave the form for le Bail refinement

## 6. Refinement of the scale parameter for the nuclear structure

[On the screen: Refinement of the nuclear structure by the Rietveld method]

“Edit refinement commands”; On the page “Various” select “Fixed commands”;

In the case that the fixed command of form is “fixed all \*” is already in the panel, do nothing. If not:

Fix all parameters for all atoms (“\*” for “Atoms/Parameters” textbox); “Add”; OK; OK

“Run Refine”

The refinement should converge to  $R_p=11.6\%$ ,  $R(obs)=7.5\%$   
NEXT; YES to leave the for for Rietveld refinement

### 7. Testing different irreps to get the best single irrep model

[On the screen: Information]

NEXT

[On the screen: Representation analysis]

Representation analysis:					
Representation	Dimension	Shubnikov superspace group	Axes	Origin shift	
mDT1	2	P6/mmm.1'(00g)0000s	(1,0,0 0,1,0 0,0,1)	(0,0,0,0)	Details
mDT2	2	P6/mmm.1'(00g)00sss	(1,0,0 0,1,0 0,0,1)	(0,0,0,0)	Details
mDT3	2	P6/mmm.1'(00g)s00ss	(1,0,0 0,1,0 0,0,1)	(0,0,0,0)	Details
mDT4	2	P6/mmm.1'(00g)s0s0s	(1,0,0 0,1,0 0,0,1)	(0,0,0,0)	Details
mDT5	4	P2.1'(0b0)0s	(-1,0,0 0,0,-1 0,-1,0)	(0,0,0,0)	Details
mDT6	4	P2.1'(0b0)ss	(-1,0,0 0,0,-1 0,-1,0)	(0,0,0,0)	Details

Display representations

Back Next Cancel

This window has an information character. You can see here all irreps leading to magnetic ordering. The “details” buttons provide more information about an individual irrep and its connection to the kernel magnetic symmetry.

NEXT

[On screen: List of kernels and epikernels]

**List of kernels and epikernels:**

Shubnikov superspace group	Axes	Origin shift	Representation
P6/mmm.1'(00g)0000s	(-1,0,0 1,1,0 0,0,-1)	(0,0,0,0)	MDT1
P6/mmm.1'(00g)00sss	(-1,0,0 1,1,0 0,0,-1)	(0,0,0,0)	MDT2
P6/mmm.1'(00g)s00ss	(-1,0,0 1,1,0 0,0,-1)	(0,0,0,0)	MDT3
P6/mmm.1'(00g)s0s0s	(-1,0,0 1,1,0 0,0,-1)	(0,0,0,0)	MDT4
P622.1'(00g)-t00s	(-1,0,0 1,1,0 0,0,-1)	(0,0,0,-1/6)	mLD1LD1
P622.1'(00g)h00s	(-1,0,0 1,1,0 0,0,-1)	(0,0,0,1/12)	mLD2LD2
Cmmm.1'(00g)000s	(-1,-1,0 1,-1,0 0,0,1)	(0,0,0,0)	mLD1LD1
Cmmm.1'(00g)ss0s	(-1,-1,0 1,-1,0 0,0,1)	(0,0,0,0)	mLD1LD1
Cmmm.1'(00g)s00s	(-1,-1,0 1,-1,0 0,0,1)	(0,0,0,0)	mLD2LD2
Cmmm.1'(00g)s0s0s	(-1,-1,0 1,-1,0 0,0,1)	(0,0,0,0)	mLD2LD2
C222.1'(00g)000s	(-1,-1,0 1,-1,0 0,0,1)	(0,0,0,0)	mLD1LD1
C222.1'(00g)00ss	(-1,-1,0 1,-1,0 0,0,1)	(0,0,0,0)	mLD2LD2
P2/m.1'(0b0)00s	(-1,0,0 0,0,-1 0,-1,0)	(0,0,0,0)	mLD1LD1
P2/m.1'(0b0)s0s	(-1,0,0 0,0,-1 0,-1,0)	(0,0,0,0)	mLD2LD2

Select from above kernels/epikernels one representative of a family of Shubnikov superspace groups for testing.

Select one of the hexagonal magnetic superspace groups based on average space group **P6/mmm**; NEXT;

This will pass all present hexagonal magnetic superspace groups of type **P6/mmm** to further testing. We assume that both magnetic atoms should have non-zero magnetic moment.

[On the screen: Select magnetic space group]

**Select magnetic superspace group:**

Shubnikov group	Atom	Moment	Global	sin#1	cos#1
P6/mmm.1'(00g)0000s	Dy1	(0,0,0)	(0,0,0)	(0,0,0)	(0,0,0)
P6/mmm.1'(00g)00sss	Mn1	(0,0,0)	(0,0,0)	(0,0,0)	(0,0,0)
P6/mmm.1'(00g)s00ss					
P6/mmm.1'(00g)s0s0s					

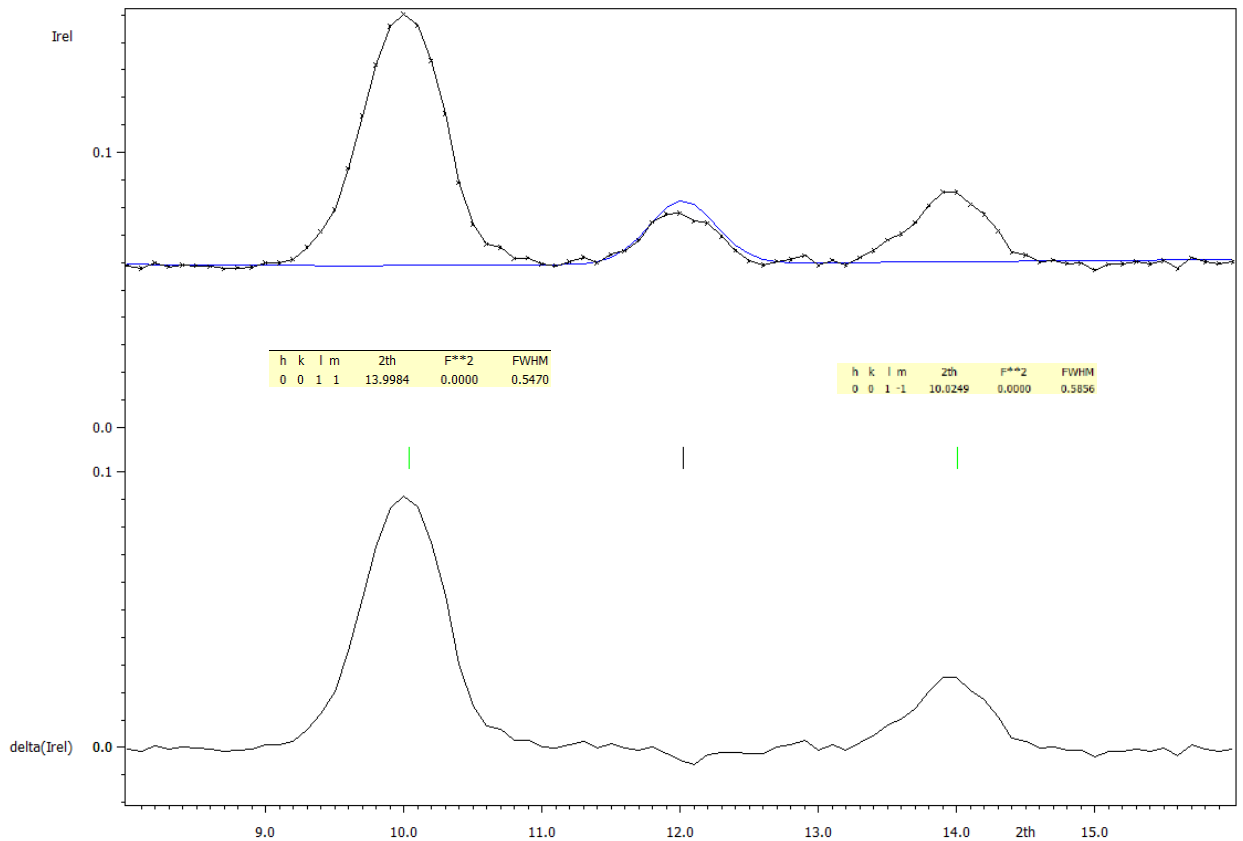
Information: The symbol "M" indicates that the component can have non-zero value.  
For more details press the button "Show details".  
Magnetic moments are expressed in the parent cell.

Only the second magnetic superspace group allows for non-zero magnetic moments for Mn and Dy atoms.

Select the second magnetic superspace group: **P6/mmm.1'(00g)00sss** and press "Start

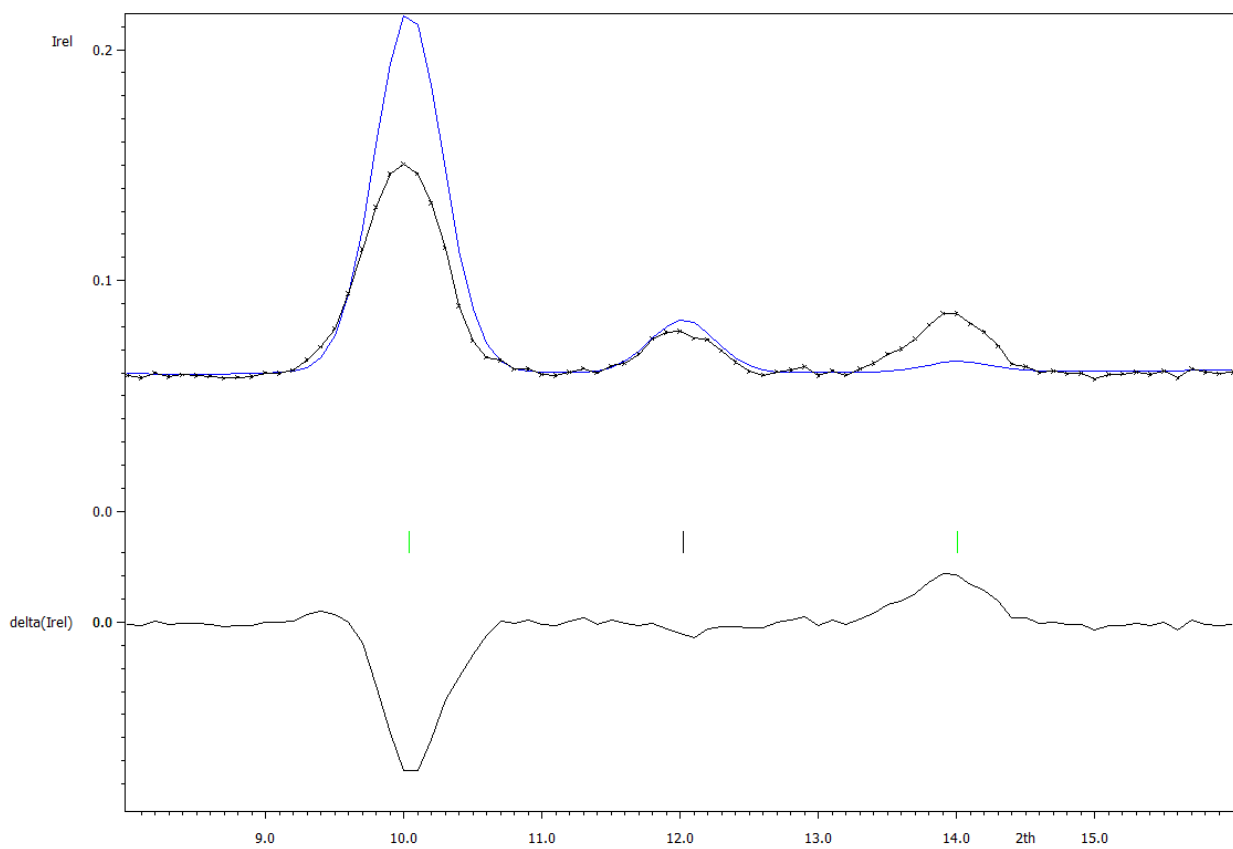
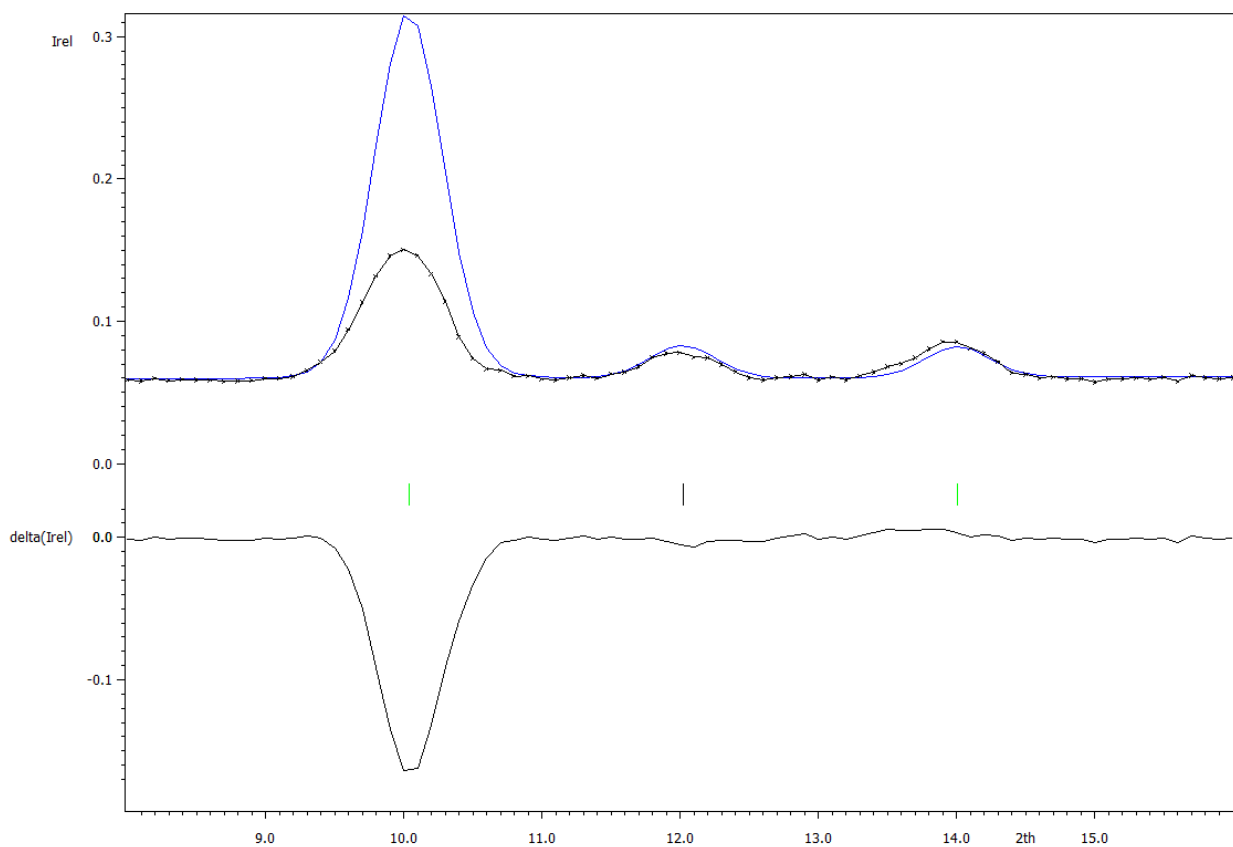
profile simulation”;

Press "X exactly" and focus the region 8-16 degrees; Press "Fit Y”:



Two dominant magnetic peaks in this region have zero intensity. This means that the tested model does not describe the magnetic ordering correctly. However, in making such conclusion we have to take into account that the simulation procedure uses randomly generated magnetic moments and that the result can be affected by an actual random choice. This is why we recommend repeating the simulation when some doubt exists. "Quit"; "Back" and return to the "List of kernels and epikernels" and select one of hexagonal superspace groups based on P622.

While the first one P622.1'(00g)t00s restricts the magnetic moments of the Dy atom to zero, the second one P622.1'(00g)-h00s allows non-zero magnetic moments for both magnetic atoms. The simulation profiles demonstrate that the intensity of both magnetic peaks in the interval (8-16) degs are generally non-zero:



## 8. Refinement of the magnetic structure in – P622.1'(00g)-h00s

[On the screen: Select magnetic superspace group]

Select the magnetic superspace group P622.1'(00g)-h00s

Press 'Continue with the selected magnetic superspace group'

[On the screen: Select structure name]

Use the default name i.e. dymn6ge6\_01 or any other; **OK**

[On the screen: Basic window of Jana2006]

Right-click the icon of Refine and select the page "Various"

Use the button "Restrictions" and ensure that all atoms (i.e. \*) are restricted to have identical ADP parameters.

The restriction "restric \* 13" has been set automatically when the program created the testing structure. To see the meaning of the restriction focus it by mouse and press "Load". "Load" opens the restriction for editing. Make sure that "Coordinates" and "Modulations" boxes are cleared and press "Rewrite" to close the editing mode.

OK

Select the page "Fixed commands" and (similarly like in the previous step) ensure that all atomic positions are fixed in their current values ("fixed xyz \*").

OK

Select the page "Basic" and check if the "Number of cycles" is set to 100 and the "Damping factor" to 0.1; **OK**; **Yes+start**;

Refinement converges with  $R_p \sim 5.0\%$ ,  $R(\text{obs}) \sim 5.0\%$ , 4.6%, 5.7% for all, nuclear and magnetic reflections, respectively.

Use "Profile viewer" and check the fit of the calculated powder profile

Observe that some main reflections like (1 0 1 0) around 25 degrees or (2 -1 1 0) at about 40 degrees are poorly fit. In order to exclude some additional nuclear effects we can allow the refinement of atomic positions:

Right-click the icon of Refine and select the page "Various". Use the button "fixed commands" and disable the command "fixed xyz". Run refine again.

Now the atom coordinates will also be refined. The refinement should end with  $R_p \sim 5.0\%$  and Bragg R factors  $R(\text{obs}) = 4.9\%$ , 4.5% and 5.7% for all, main and satellite reflections, respectively. ("View of Refine"). The improvement is minimal. Some of the main reflections remain poorly fit systematically with too low intensity. This fact can lead to the conclusion that an additional magnetic ordering with  $k=0$  is present.

## 9. Refinement in the subgroups allowing magnetic wave (0,0,0)

[On the screen: Basic Jana window]

We try then the possibility that magnetic scattering occurs also at main reflections, i.e. an additional magnetic ordering with  $k=(0\ 0\ 0)$  is taking place. In the language of the symmetry group of the phase this implies to lower it, dropping the operation  $\{1' | 0001/2\}$  associated with the existence of a single primary incommensurate wave vector.

There are several maximal subgroups without this operation. Then can be generated by the Jana tool "Tools→Transformations→Go to subgroup structure". As generators for the working group until now can be used:

$\{6+ | 0\ 0\ 0\ 5/6\}$ :  $x_1 - x_2$ ,  $x_1$ ,  $x_3$ ,  $x_4 + 5/6$

$\{2_{-xy} | 0\ 0\ 0\ 0\}$ :  $x_2$ ,  $x_1$ ,  $-x_3$ ,  $-x_4$

$\{1'|0001/2\}$ :  $x_1, x_2, x_3, x_4+1/2$

The possible maximal subgroups will then be generated by:

**P622(00g)-h00**

$\{6+|0005/6\}$ :  $x_1-x_2, x_1, x_3, x_4+5/6, m$

$\{2_{xy}|0000\}$ :  $x_2, x_1, -x_3, -x_4, m$

**P6'22'(00g)t00**

$\{6+'|0001/3\}$ :  $x_1-x_2, x_1, x_3, x_4+1/3, -m$

$\{2_{xy}|0000\}$ :  $x_2, x_1, -x_3, -x_4, m$

**P62'2'(00g)-h00**

$\{6+|0005/6\}$ :  $x_1-x_2, x_1, x_3, x_4+5/6, m$

$\{2'_{xy}|0001/2\}$ :  $x_2, x_1, -x_3, -x_4+1/2, -m$

**P6'2'2(00g)t00**

$\{6+'|0001/3\}$ :  $x_1-x_2, x_1, x_3, x_4+1/3, -m$

$\{2'_{xy}|0001/2\}$ :  $x_2, x_1, -x_3, -x_4+1/2, -m$

Make sure that your actual structure is the final refined structure from the previous step.

“Tools → Transformation → Go to subgroup structure”;

Press the “Refresh” button and select the generators:

$x_1-x_2 \ x_1 \ x_3 \ x_4+5/6 \ m$   
 $x_2 \ x_1 \ -x_3 \ -x_4 \ m$

**Define subgroup**

Operator	Symbol	Direction
$x_2 -x_1+x_2 \ x_3 \ x_4+1/6 \ m$	6-	(0,0,1)
$x_1-x_2 \ x_1 \ x_3 \ x_4+5/6 \ m$	6+	(0,0,1)
$x_2 -x_1+x_2 \ x_3 \ x_4+2/3 \ -m$	6'	(0,0,1)
$x_1-x_2 \ x_1 \ x_3 \ x_4+1/3 \ -m$	6+'	(0,0,1)
$-x_2 -x_1 -x_3 -x_4+1/2 \ m$	2	(1,-1,0)
$-x_2 -x_1 -x_3 -x_4 \ -m$	2'	(1,-1,0)
$x_2 \ x_1 \ -x_3 \ -x_4 \ m$	2	(1,1,0)
$x_2 \ x_1 \ -x_3 \ -x_4+1/2 \ -m$	2'	(1,1,0)
$x_1 \ x_1-x_2 \ -x_3 \ -x_4+1/6 \ m$	2	(2,1,0)
$x_1 \ x_1-x_2 \ -x_3 \ -x_4+2/3 \ -m$	2'	(2,1,0)
$-x_1+x_2 \ x_2 \ -x_3 \ -x_4+5/6 \ m$	2	(1,2,0)
$-x_1+x_2 \ x_2 \ -x_3 \ -x_4+1/3 \ -m$	2'	(1,2,0)

Space group : P622.1'(00g)-h00s    Axes : (1,0,0|0,1,0|0,0,1)    Origin : (0,0,0)

Subgroup :                                    Axes :                                    Origin :                                    Index :



Press the button “Complete subgroup”;

**Define subgroup**

Operator	Symbol	Direction
x1 x2 x3 x4 m	1	(0,0,0)
x1 x2 x3 x4+1/2 -m	1'	(0,0,0)
x1-x2 -x2 -x3 -x4+1/3 m	2	(1,0,0)
x1-x2 -x2 -x3 -x4+5/6 -m	2'	(1,0,0)
-x1 -x1+x2 -x3 -x4+2/3 m	2	(0,1,0)
-x1 -x1+x2 -x3 -x4+1/6 -m	2'	(0,1,0)
-x1 -x2 x3 x4+1/2 m	2	(0,0,1)
-x1 -x2 x3 x4 -m	2'	(0,0,1)
-x2 x1-x2 x3 x4+2/3 m	3+	(0,0,1)
-x1+x2 -x1 x3 x4+1/3 m	3-	(0,0,1)
-x2 x1-x2 x3 x4+1/6 -m	3+'	(0,0,1)
-x1+x2 -x1 x3 x4+5/6 -m	3-'	(0,0,1)

Space group : P622.1'(00g)-h00s    Axes : (1,0,0|0,1,0|0,0,1)    Origin : (0,0,0)  
 Subgroup : P622(00g)-h00    Axes : (1,0,0|0,1,0|0,0,1)    Origin : (0,0,0)    Index : 2

The selected subgroup is normal

NEXT; NEXT

[On the screen: Select one representative of the 2<sup>nd</sup> coset]

Select the first operation.

Generally, all selections would give the same result.

NEXT;

[On the screen: Specify the output structure]

Select “dymn6ge6\_01\_subgroup\_1” or any other

NEXT;FINISH;”Yes” to the question “Do you want to continue with the new structure?”

[On the screen: Basic window]

Run “Edit Atoms”; Select atoms Dy1 and Mn1; Press the button “Action”

Select “Reset modulation/magnetic parameters”

Deselect “Magnetic parameters k<>0”

Choose “Reset parameters randomly in the interval (-pmax,pmax)

OK;OK;”Yes” to the question “Do you want to rewrite changed files?”

Run “Refine”;

Repeat the procedure for all subgroups listed above

Use the “File→ Structure → History” to return to the final refined structure in P622.1'(00g)-h00s.

P622(00g)-h00

$R_p=4.8\%$ ,  $R(\text{obs})=4.6\%, 4.2\%, 5.4\%$  for all, nuclear and magnetic reflections, respectively.

$P6'22'(00g)t00$

$R_p=4.8\%$ ,  $R(\text{obs})=4.5\%, 4.0\%, 5.5\%$  for all, nuclear and magnetic reflections, respectively.

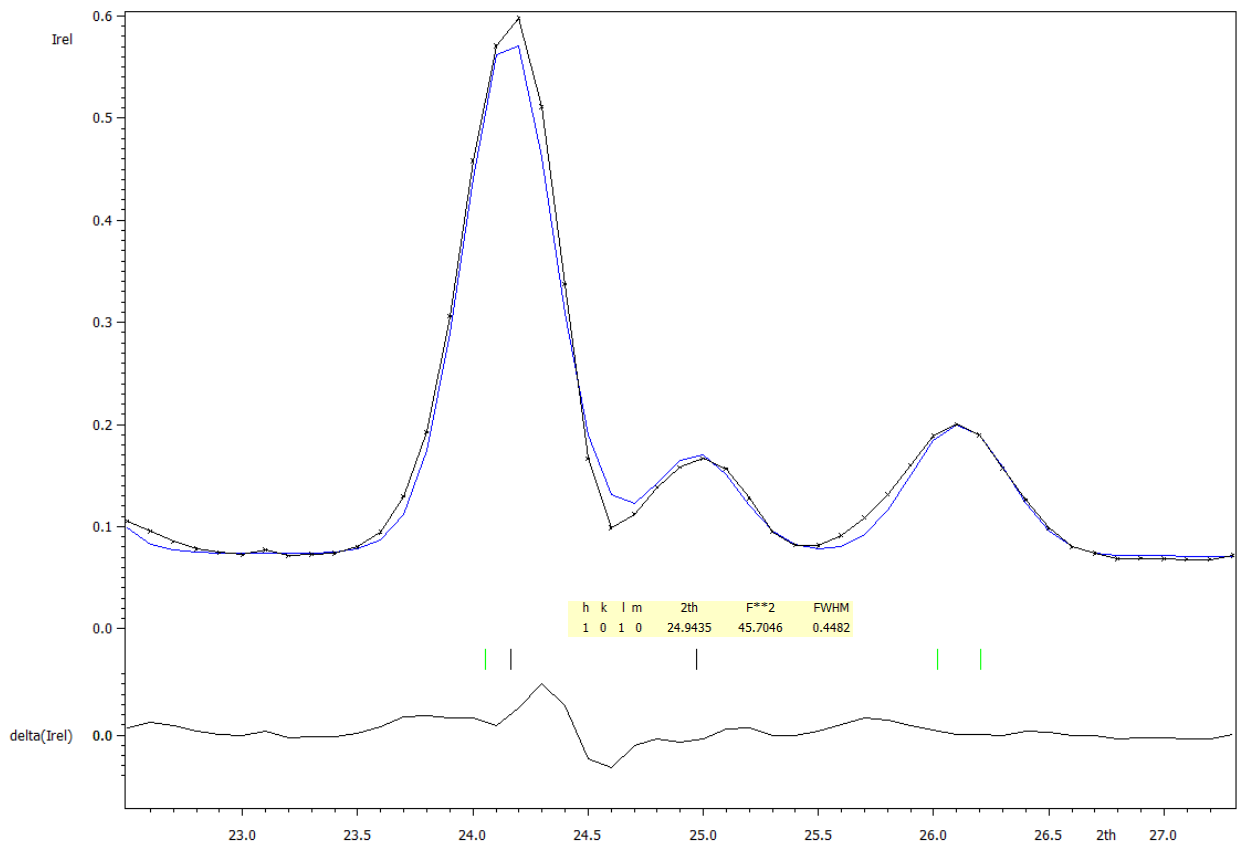
$P62'2'(00g)-h00$

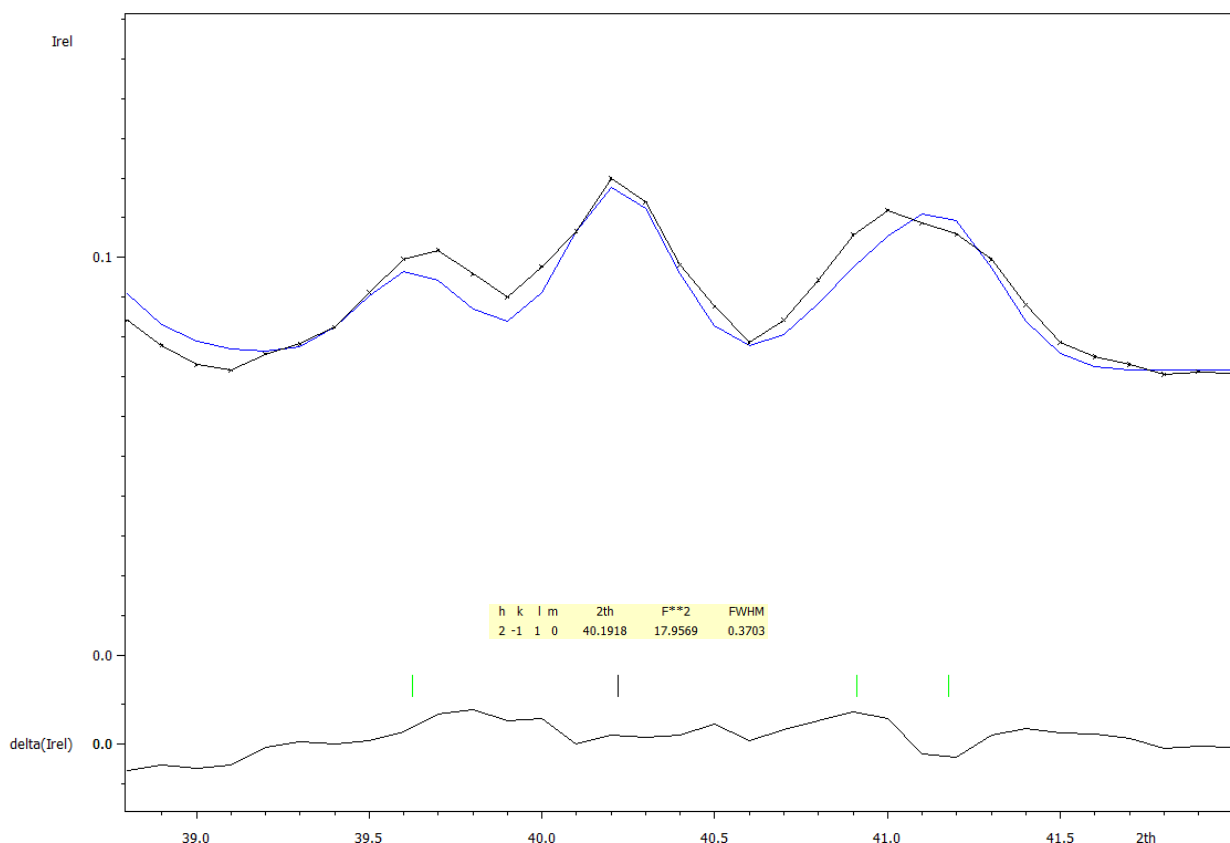
$R_p=4.2\%$ ,  $R(\text{obs})=2.9\%, 2.3\%, 4.0\%$  for all, nuclear and magnetic reflections, respectively.

$P6'2'2(00g)t00$

$R_p=4.8\%$ ,  $R(\text{obs})=4.8\%, 4.3\%, 5.5\%$  for all, nuclear and magnetic reflections, respectively.

One of the symmetries clearly fits the data better. Observe that the strong misfit of some of the main reflections has disappeared.





The final common Uiso is negative but its absolute value is very small.

Right-click the icon of Refine and select the page "Various"

Use the button "Fixed commands"

Select "Set individual"; File the edit box by the text "Uiso[\*]"; Define value "Set to" zero

Add; OK; OK; Press Button "Yes+start"

$R_p=4.1\%$ ,  $R(\text{obs})=3.4\%, 3.2\%, 3.8\%$  for all, nuclear and magnetic reflections, respectively.

Run "EditM50"; Go to the page "Magnetic parameters"; Change the magnetic form factor for Dy to  $\langle j_0 \rangle + c \langle j_2 \rangle$  and Dy3+

OK; "Yes" to the question "Do you want to rewrite M50 file?"

Run "Refine"

$R_p=4.2\%$ ,  $R(\text{obs})=2.9\%, 2.6\%, 3.6\%$  for all, nuclear and magnetic reflections, respectively.

## 10. Visualize the refined model with VESTA

[On the screen: Basic window]

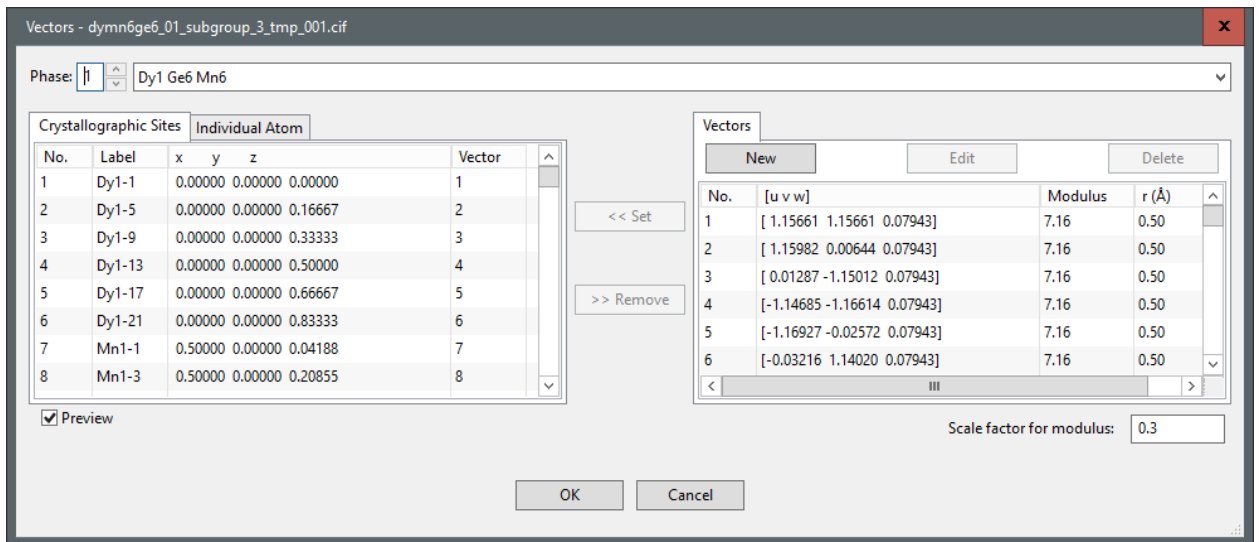
Double click on the icon "Plot structure"

Select "Draw approximant structure"; x from 0 to 1; y from 0 to 1; z from 0 to 6 (c\* component of the propagation vector is close to 1/6)

Select "Use Vesta to draw the magnetic structure"

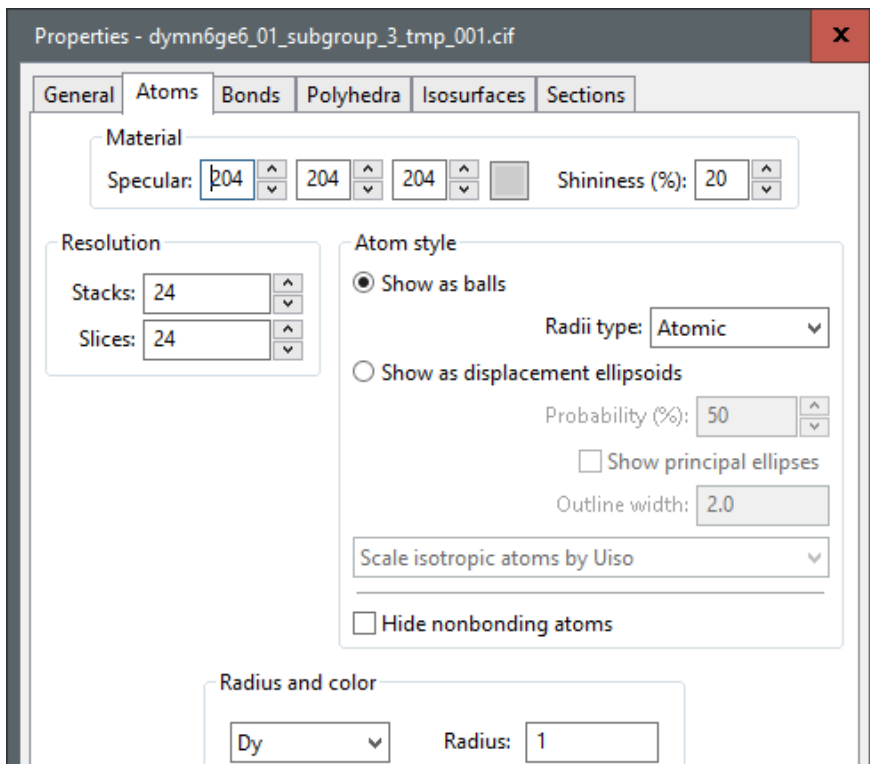
Press "Draw+return" or "Draw+continue"

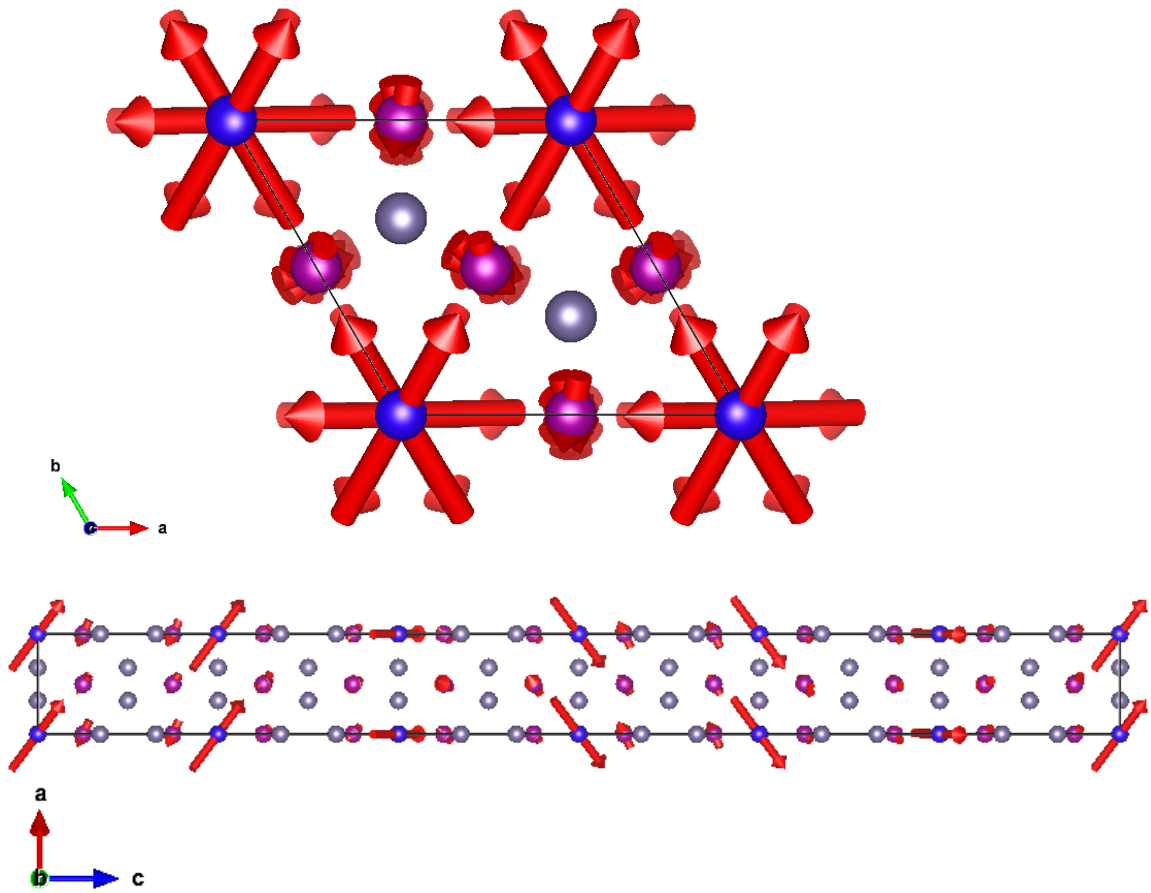
Select "Edit → Vectors" and modify "Scale factor for modulus" to 0.3



OK

Press button "Properties..."; Go the page "Atoms" and modify "Radius" for all atoms





## 11. Transformation to the standard setting as used in MAGNDATA

[On the screen: Basic window]

The structure has been already included into the database "MAGNDATA" in Bilbao Crystallographic Server and you can get originally published results as follows:

"Tools → Connect through internet to → Bilbao Crystallographic Server"

Select "MAGNDATA"; Enter the label of the structure "1.1.10"

In order to make work easier and faster you can skip this point and use the following table directly:

Reference: Rodriguez-Carvajal, J et al., *EPJ Web of Conferences* (2012) **22** 00010

DOI: 10.1051/epjconf/20122200010

Atomic positions from: ICSD #57229

Parent space group (paramagnetic phase): P6/mmm (#191)

Propagation vector: k1 (0.000000, 0.000000, 0.1651)

Lattice parameters of the basic unit cell:

5.2081 5.2081 8.1522 90 90 120

Transformation from parent structure: (a,b,c,0,0,0)

[\[View matrix form\]](#)

Magnetic Superspace Group: P62'2'(00γ)h00

[\[View symmetry operations\]](#)

Magnetic Point Group: 62'2' (24.4.90)

[\[View symmetry operations\]](#)

Symmetry-adapted form of material tensors via

Average positions, magnetic moments and magnetic modulations of symmetry independent atoms:

From now on, magnetic atoms are in boldface and colored in red. Magnetic moments are expressed in units of  $\mu_B$

[\[Show only magnetic atoms\]](#)

[\[Show all the atoms\]](#)

Average atomic positions and magnetic moments of symmetry independent atoms

Label	Atom type	x	y	z	Multiplicity	Symmetry constraints on M	$M_{0x}$	$M_{0y}$	$M_{0z}$	M
Dy1	Dy	0	0	0	1	0,0, $m_z$	0.0	0.0	3.932	3.93
Mn1	Mn	0.5	0	0.2510	6	0,0, $m_z$	0.0	0.0	-1.149	1.15

Magnetic moment modulation parameters of symmetry independent atoms

Wave vector 1

Atom	Magnetic moment Fourier Cos coeffs						Magnetic moment Fourier Sin coeffs					
	Symmetry constraints			Numerical values			Symmetry constraints			Numerical values		
	x	y	z	x	y	z	x	y	z	x	y	z
Dy1	$\sqrt{3}M_x \sin 1$	0	0	6.195546	0.0	0.0	$M_x \sin 1$	$2M_x \sin 1$	0	3.577	7.154	0.0
Mn1	$M_x \cos 1$	$M_y \cos 1$	0	-1.877	-0.206	0.0	$M_x \sin 1$	$M_y \sin 1$	0	-0.846	-2.049	0.0

The result as derived step by step from the representation theory is expressed in a different chiral domain than used in MAGNDATA. Therefore, we should transfer it to the equivalent chiral domain.

[On the screen: Basic window]

"Tools → Transformation → Change enantiomorph"

Create a new structure with name e.g. "dymn6ge6\_01\_subgroup\_3\_chiral"

OK; Yes to continue with the new structure

Run EdiM50; Go the page "Symmetry"

Now the superspace group is the same as used in MAGNDATA however there is a non-zero origin shift in  $x_4$  equal  $1/6$ .

ESC

"Tools → Transformation → Origin shift"

Use shift to the point 0 0 0 -1/6

OK

The last point that has to be checked for a full comparison is if we are using in the same symmetry positions for the magnetic atoms Dy1 and Mn1. The positions of these atoms from 1.1.10 are:

Dy1 (0,0,0) and Mn1 (0.5,0,0.251).

[On the screen: Basic window]

Run "Edit atoms"; Double click on Dy1 atom; Go to the page "Edit"

The coordinates are (1,1,1) and this means that we can just rewrite them to (0,0,0) as such transformation does not change the modulation functions.

In the case that the Mz0 is negative change it to positive.

Move to the atom Mn1

Its coordinates are (0.5,1,0.749). From the list of symmetry operations we can find that the symmetry operation:  $x_1-x_2, -x_2, -x_3, -x_4+1/2$  combined with the lattice translation (1,1,1,0) makes what is needed.

OK;

[On the screen: Select atoms to be used]

Select the atom Mn1; Press button "Action"; Select "Transform selected atoms"

Use the button "Fill by a symmetry operation"; Select  $x_1-x_2 -x_2 -x_3 -x_4+1/2 -m$ ; Modify the translation vector to 1 1 1 1/2

OK; OK; Yes to rewrite files

[On the screen: Basic window]

Run "Refine" to check that all transformation did not change the solution

[On the screen: Basic window]

"Edit/View → View of Refine"; Press "Go to" and select "Changes overview"

Dy1		ai	x	y	z	Uiso	
0		0.166668	0.000000	0.000000	0.000000	0.000000	0.00
1		0.166668	0.000000	0.000000	0.000000	0.000000	
su		0.000000	0.000000	0.000000	0.000000	0.000000	
Dy1		Mx0	My0	Mz0			
0		0.000000	0.000000	3.862199*	-0.02		
1		0.000000	0.000000	3.861966			
su		0.000000	0.000000	0.118013			
Dy1		Mxsin1	Mysin1	Mzsin1	Mxco1	Myco1	Mzco1
0		3.527466*	7.054935	0.000000	6.109752	0.000000	0.000000 -0.04
1		3.527237	7.054476	0.000000	6.109355	0.000000	0.000000
su		0.054079	0.000000	0.000000	0.000000	0.000000	0.000000
Mn1		ai	x	y	z	Uiso	
0		1.000000	0.500000	0.000000	0.251030*	0.000000	0.00
1		1.000000	0.500000	0.000000	0.251030	0.000000	
su		0.000000	0.000000	0.000000	0.000697	0.000000	
Mn1		Mx0	My0	Mz0			
0		0.000000	0.000000	-0.866950*	0.00		
1		0.000000	0.000000	-0.866947			
su		0.000000	0.000000	0.091802			
Mn1		Mxsin1	Mysin1	Mzsin1	Mxco1	Myco1	Mzco1
0		-1.191599	-2.381947	0.000000	-1.500274	-0.405228*	0.000000 -0.01
1		-1.181496	-2.381884	0.000000	-1.500288	-0.405335	0.000000
su		0.106865	0.102089	0.000000	0.121624	0.105812	0.000000
Ge1		ai	x	y	z	Uiso	
0		0.333332	0.666667	0.333333	1.000000	0.000000	0.00
1		0.333332	0.666667	0.333333	1.000000	0.000000	
su		0.000000	0.000000	0.000000	0.000000	0.000000	
Ge2		ai	x	y	z	Uiso	
0		0.333332	0.666667	0.333333	0.500000	0.000000	0.00
1		0.333332	0.666667	0.333333	0.500000	0.000000	
su		0.000000	0.000000	0.000000	0.000000	0.000000	
Ge3		ai	x	y	z	Uiso	
0		0.333332	1.000000	1.000000	0.654790*	0.000000	0.00
1		0.333332	1.000000	1.000000	0.654790	0.000000	
su		0.000000	0.000000	0.000000	0.000732	0.000000	

		M <sub>0x</sub>	M <sub>0y</sub>	M <sub>0z</sub>	M
Dy1	MAGNDATA	0.0	0.0	3.93	3.93
	Jana	0.0	0.0	3.86(12)	3.86(12)
Mn1	MAGNDATA	0.0	0.0	-1.15	1.15
	Jana	0.0	0.0	-0.87(9)	0.87(9)

		cos			sin		
		M <sub>x</sub>	M <sub>y</sub>	M <sub>z</sub>	M <sub>x</sub>	M <sub>y</sub>	M <sub>z</sub>
Dy1	MAGNDATA	6.20	0.0	0.0	3.58	7.15	0.0
	Jana	6.11	0.0	0.0	3.53(5)	7.05	0.0
Mn1	MAGNDATA	-1.88	-0.21	0.0	-0.85	-2.05	0.0
	Jana	-1.50(12)	-0.41(10)	0.0	-1.18(11)	-2.38(10)	0.0

**12. Use of the option of polar coordinates for the moments to constraint further the Mn spin to have a circular modulation.**

[On the screen: Basic window]

“File → Structure → Save as”; Use e.g. “dymn6ge6\_01\_subgroup\_3\_final”

OK; No to the question “Do you want to continue with the new structure?”

[On the screen: Basic window]

Run “Edit atoms”

[On the screen: Select atoms to be used]

Double click on the atom Dy1; Activate option “in spherical coordinates”;

Go the “Edit” page;

For the magnetic moment  $\mathbf{k}=\mathbf{0}$  only Mr0-amplitude is a free parameter. Both angles Mp0- $\varphi$  angle and Mt0- $\vartheta$  angle are fixed by symmetry.

Uncheck the refine flags for angular components if active.

Press the button “Magnetic” to magnetic modulation waves.

The only free parameter is the amplitude Mrsin1. The  $\varphi$  angle is fixed for cos wave to 90 and for sin wave to 0. This means that the circular modulation is fully induced by the symmetry.

Uncheck the refine flags for angular components if active.

Go to the atom Mn1 and activate option “in spherical coordinates”;

Go the “Edit” page;

For the magnetic moment  $\mathbf{k}=\mathbf{0}$  only Mr0-amplitude is a free parameter. Both angles Mp0- $\varphi$  angle and Mt0- $\vartheta$  angle are fixed by symmetry.

Uncheck the refine flags for angular components if active.

Press the button “Magnetic” to magnetic modulation waves.



For Mn1, the modulation parameters except the  $\vartheta$  angle are symmetry free. In order to force a circular modulation, the constraints must be used:  $Mrcos1=Mrsin1$ ,  $Mpcos1=Mpsin1-90$ . These equations are only roughly satisfied by the previous refined model, as shown after the transformation.

Right click on the “Refine” icon; Select the page Various; Click on the button “Equations”;

Define the equations mentioned above:

Mp0[Dy1]=0  
 Mt0[Dy1]=0  
 Mrcos1[Dy1]=Mrsin1[Dy1]  
 Mpsin1[Dy1]=90  
 Mpcos1[Dy1]=0  
 Mtsin1[Dy1]=90  
 Mtcos1[Dy1]=90  
 Mp0[Mn1]=0  
 Mt0[Mn1]=180  
 Mrcos1[Mn1]=Mrsin1[Mn1]  
 Mpcos1[Mn1]= Mpsin1[Mn1]-90  
 Mtsin1[Mn1]=90  
 Mtcos1[Mn1]=90

You can do either one by one or you can use pre-prepared file “Equations-circular.txt”. For the former method:

Press the button “Edit” and use the copy-paste method from the file “Equations-circular.txt”.

OK;OK; Yes+start

$R_p=3.83\%$ ,  $R(obs)=2.93\%,2.43\%,3.82\%$  for all, nuclear and magnetic reflections, respectively. Which means that it is not significantly worse than the full refinement – see point 9.

		$M_{0x}$	$M_{0y}$	$M_{0z}$	M
Dy1	MAGNDATA	0.0	0.0	3.93	3.93
	Jana	0.0	0.0	3.96(11)	3.96(11)
Mn1	MAGNDATA	0.0	0.0	-1.15	1.15
	Jana	0.0	0.0	-1.00(8)	1.00(8)

After transforming from polar to crystallographic coordinates

		cos			sin		
		$M_x$	$M_y$	$M_z$	$M_x$	$M_y$	$M_z$
Dy1	MAGNDATA	6.20	0.0	0.0	3.58	7.15	0.0
	Jana	6.18	0.0	0.0	3.57(5)	7.13	0.0
Mn1	MAGNDATA	-1.88	-0.21	0.0	-0.85	-2.05	0.0
	Jana	-1.88(10)	-0.20(9)	0.0	-0.86(9)	-2.06(8)	0.0

**General note: Two different strategies for handling refinement keys in Jana2006**

From Petříček, V., Dušek, M. & Palatinus, L. (2014) Z.Kristallogr. **229**, 345-352.

*“All refinable parameters are divided into two groups: automatic and user-controlled ones. The automatic parameters are those which can be usually refined without numerical problems: scale factors and extinction parameters; parameters describing position, ADP and their modulation for individual atoms as well as for molecules; background parameters of the powder profile; magnetic parameters. The user-controlled parameters are twin/phase volume fractions, atomic or molecular site occupancies, parameters of crenel modulation functions, parameters of multipole refinement and powder profile parameters for individual Bragg reflections. The automatic parameters are activated by default at the beginning of the refinement process while the user-controlled ones must be always explicitly activated by the user. The program always fixes the parameters which cannot be refined due to symmetry restrictions. In order to fix other automatic parameters the user is provided with a range of special fixing commands. This way is very useful for most cases because it minimizes mistakes in setting refinement flags. However, the program also allows switching to a completely manual mode, where all parameters are to be activated explicitly by the user, analogically to other refinement programs such as FullProf [29].”*

**Handling of symmetry restrictions of magnetic moments in polar coordinates would be easier for most of users if the non-automatic procedure is used:**

**Refine commands**

Basic	Select/Listing	Various	Modulation
Number of cycles <input type="text" value="100"/>	<input checked="" type="checkbox"/> Use Marquart technique	<input checked="" type="radio"/> Sigma weight	Instability factor <input type="text" value="0.01"/>
Damping factor <input type="text" value="0.1"/>	<input type="text" value="0.001"/> Fudge factor	<input type="checkbox"/> Instability factor from reflection statistics <input type="checkbox"/> Use Wilson's modification	
		<input type="radio"/> Unit weight	
<input checked="" type="checkbox"/> Use dynamical LS method => if R <sub>w</sub> is increased by <input type="text" value="10%"/> reduce the damping by a factor <input type="text" value="2"/>			
After <input type="text" value="3"/> cycles try to enlarge it back.			
<input checked="" type="checkbox"/> Check for convergence => stop if max(change/s.u.) ≤ <input type="text" value="0.05"/> in <input type="text" value="1"/> consecutive cycles.			
<input checked="" type="checkbox"/> Disable atoms having too large isotropic ADP parameter => ADP(iso) limit for disabling <input type="text" value="0.2"/>			
<hr/>			
<input type="checkbox"/> Automatic refinement keys	<input type="checkbox"/> Apply Berar's correction		
<input checked="" type="checkbox"/> Automatic symmetry restrictions	<input type="checkbox"/> Make only profile matching (le Bail refinement)		
<input type="checkbox"/> Refinements on F(obs)**2	<input type="text" value=""/> Frequency of le Bail decomposition		
<input type="checkbox"/> Apply electroneutrality	<input type="checkbox"/> Calculate only magnetic scattering		
<input type="checkbox"/> Simulation run			
<input type="checkbox"/> After last cycle call Fourier			
<input type="checkbox"/> Correct for lambda/2 effect			
<input type="checkbox"/> Correct for 3lambda effect			
<input type="checkbox"/> Randomize atomic coordinates	Random seed <input type="text"/>	Maximal random displacement in Ang <input type="text"/>	
Warning: the randomize procedure will applied just once during the next run.			
<input type="button" value="Esc"/> <input type="button" value="Ok"/>			