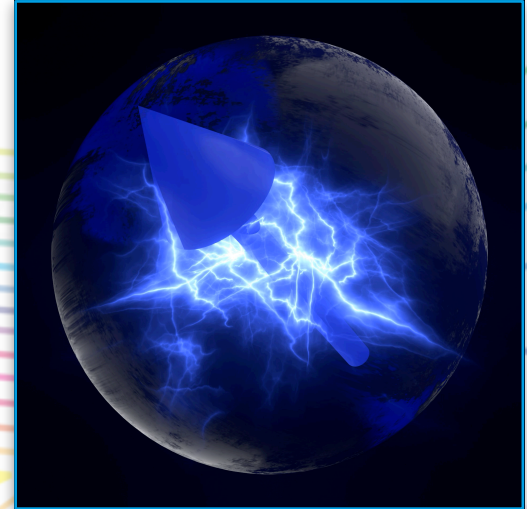


Introduction to

Spherical Neutron Polarimetry

and its application to condensed matter physics

Navid Qureshi



Outline

Content of the presentation



Historical context



The **Cryogenic Polarisation Analysis Device**



Key contributions to magnetoelectric and multiferroic systems



Conclusions



Historical context

Motivation

THE PROBLEM

Unpolarized neutrons only give access to the modulus of the magnetic interaction vector \mathbf{M}_\perp via the observed intensity $I \sim \mathbf{M}_\perp \mathbf{M}_\perp^* = |\mathbf{M}_\perp|^2$.

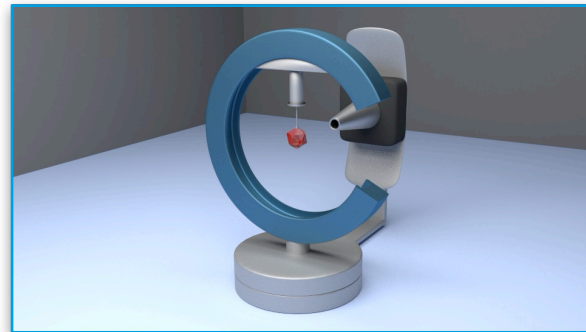
$$\mathbf{M}_\perp(\mathbf{Q}) = \hat{\mathbf{Q}} \times (\mathbf{M} \times \hat{\mathbf{Q}}) \quad \mathbf{M}(\mathbf{Q}) = \sum_j \mathbf{S}_j f_j(\mathbf{Q}) \exp(i\mathbf{Q}\mathbf{r}_j)$$

THE RAY OF HOPE

In 1963 Blume and Maleev independently publish their equations relating the final neutron polarization to generalized cross sections.

THE DREAM

Be able to measure all the terms in these equations precisely.



Blume (1963) *Phys. Rev.* **130** 1670

Maleev et al. (1963) *Sov. Phys. Solid State.* **4** 2533

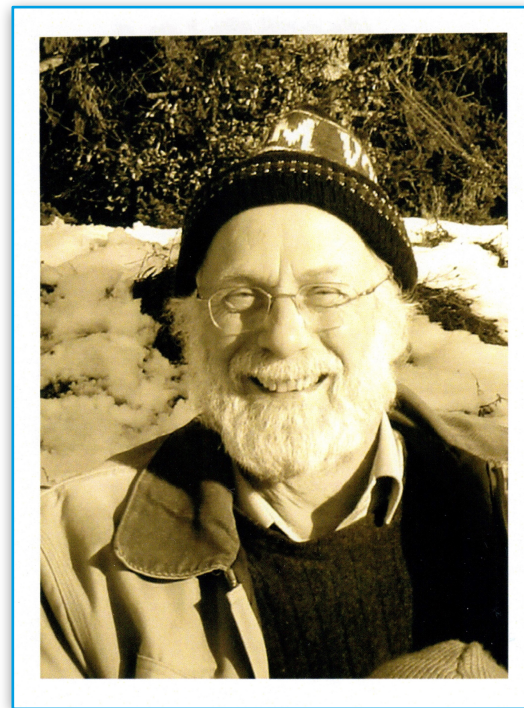


Historical context

The dream come true

THANK YOU FRANCIS !!!

- Polarizing neutron beams with Heusler alloy
- Cryoflipper (no wavelength and stray field dependency)
- **Cryogenic Polarization Analysis Device** for SNP
(with major contributions by S. Pujol and P. J. Brown)
- ^3He spin filter cell and pumping station



Francis Tasset (1944 - 2023)



Historical context

Milestones (by Francis Tasset)

- **1963** Blume and Maleev independently publish the equations
- **1969** Riste, Moon and Koehler analyze polarization
- **1973** Alperin demonstrates that 3D polarization analysis is possible
- **1975** FT's sabbatical at ORNL working on superconducting Nb
- **1976** FT's cryoflipper based on superconducting screens
- **1986** First Cryopad taking advantage of Meissner shields
- **1993** FT introduces the term "Spherical Neutron Polarimetry"
- **1995** Cryopad II
- **1998** SNP is finally accepted and adopted by the experts
- **2002** Cryopad III (first project of ILL Millennium Programme)

$$\begin{aligned} \mathbf{P}'I &= \mathbf{P}(N^2 - \mathbf{M}_\perp \mathbf{M}_\perp^*) \\ &+ 2\Re[\mathbf{M}_\perp (\mathbf{P} \cdot \mathbf{M}_\perp^*)] \\ &+ 2\Re(N^* \mathbf{M}_\perp) \\ &+ \mathbf{P} \times 2\Im(N^* \mathbf{M}_\perp) \\ &- \Im(\mathbf{M}_\perp \times \mathbf{M}_\perp^*) \end{aligned}$$

$$\begin{aligned} I &= N^2 + \mathbf{M}_\perp \mathbf{M}_\perp^* \\ &+ 2\Re(\mathbf{P} \cdot N^* \mathbf{M}_\perp) \\ &+ \mathbf{P} \cdot \Im(\mathbf{M}_\perp \times \mathbf{M}_\perp^*) \end{aligned}$$

Blume (1963) Phys. Rev. **130** 1670

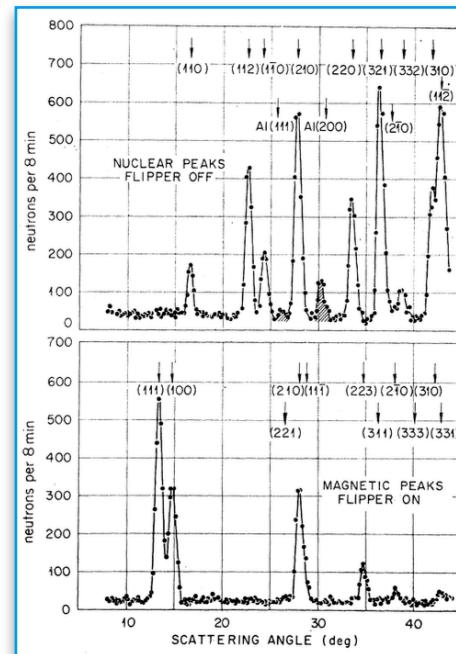
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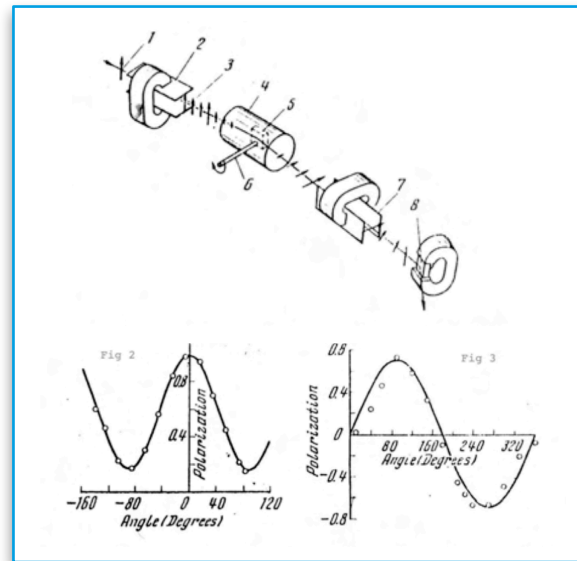
Moon et al. (1969) *Phys. Rev.* **181** 920



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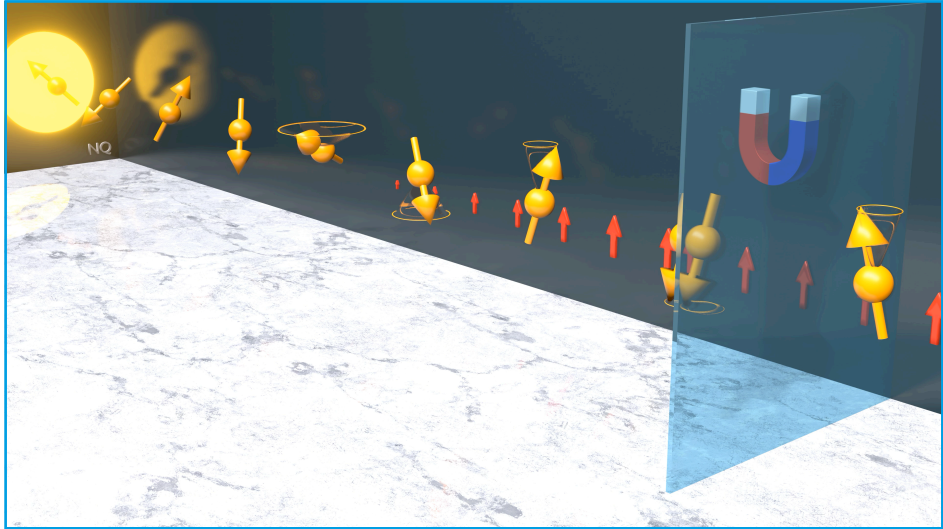


Alperin (1973) International Conference on Magnetism, Moscow, ed., Proc. ICM-73



The Cryopad

Manipulation of polarised neutron beams



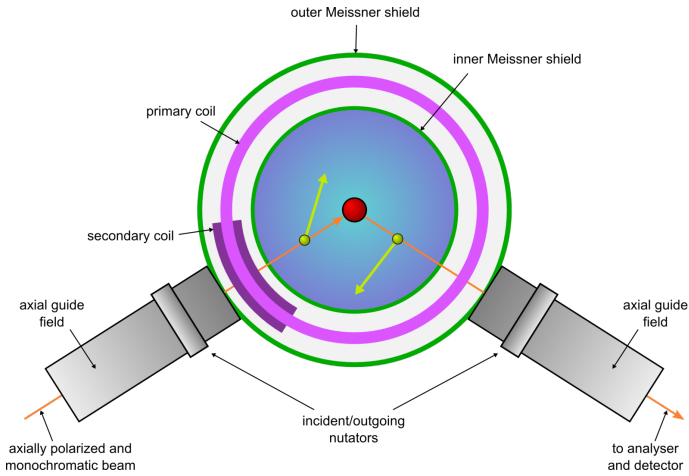
Francis Tasset's polarization lab



The Cryopad

Manipulation of polarised neutron beams

top view



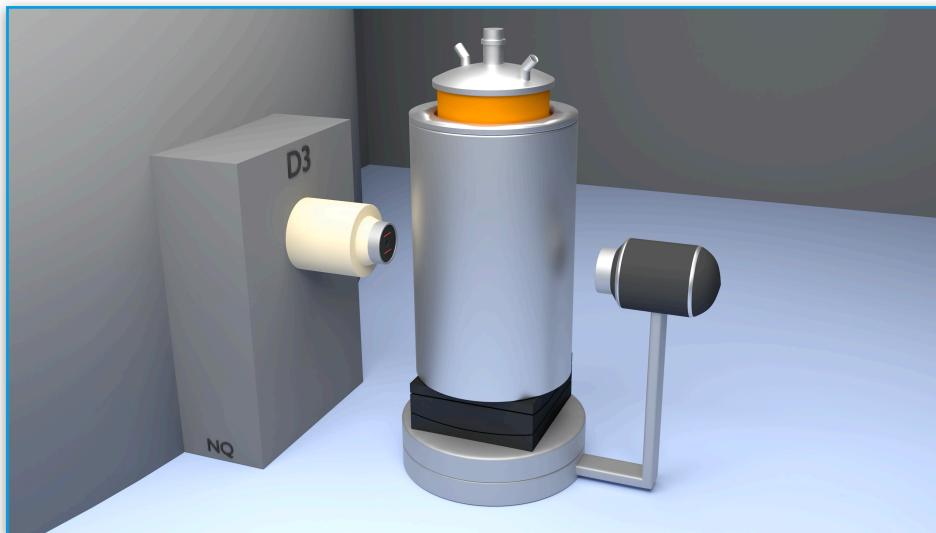
mounted on D3





The Cryopad

Where the magic happens



Local coordination system:

$$\mathbf{x} \parallel \mathbf{Q}$$

\mathbf{z} vertical

\mathbf{y} completes right-handed set

$$\mathbf{M}_{\perp,x} = 0$$

$$\mathbf{P}_i \parallel x \quad \mathbf{P}_f \parallel y$$

$$P_{f,i} = P_{yx} = \frac{n^+ - n^-}{n^+ + n^-}$$



The Cryopad

The polarization matrix

Final neutron polarization is related to initial one by

$$\mathbf{P}_f = \mathcal{P} \mathbf{P}_i + \mathbf{P}'$$

rotational part
created/annihilated polarisation

$$\mathbf{P}_{f,i} = \begin{pmatrix} p_{fx} \frac{p_{ix}(N^2 - M_{\perp}^2) - J_{yz}}{I_x} & p_{fx} \frac{-p_{iy}J_{nz} - J_{yz}}{I_y} & p_{fx} \frac{p_{iz}J_{ny} - J_{yz}}{I_z} \\ p_{fy} \frac{p_{ix}J_{nz} + R_{ny}}{I_x} & p_{fy} \frac{p_{iy}(N^2 + M_{\perp y}^2 - M_{\perp z}^2) + R_{ny}}{I_y} & p_{fy} \frac{p_{iz}R_{yz} + R_{ny}}{I_z} \\ p_{fz} \frac{-p_{ix}J_{ny} + R_{nz}}{I_x} & p_{fz} \frac{p_{iy}R_{yz} + R_{nz}}{I_y} & p_{fz} \frac{p_{iz}(N^2 - M_{\perp y}^2 + M_{\perp z}^2) + R_{nz}}{I_z} \end{pmatrix}$$

Easily distinguish nuclear, magnetic, chiral and interference terms.

$$\begin{aligned} I_x &= N^2 + M_{\perp}^2 + p_{ix}J_{yz} & R_{yz} &= 2\Re(M_{\perp y}M_{\perp z}^*) & R_{nz} &= 2\Re(NM_{\perp z}^*) \\ I_y &= N^2 + M_{\perp}^2 + p_{iy}R_{ny} & J_{yz} &= 2\Im(M_{\perp y}M_{\perp z}^*) & J_{ny} &= 2\Im(NM_{\perp y}^*) \\ I_z &= N^2 + M_{\perp}^2 + p_{iz}R_{nz} \end{aligned}$$



The Cryopad

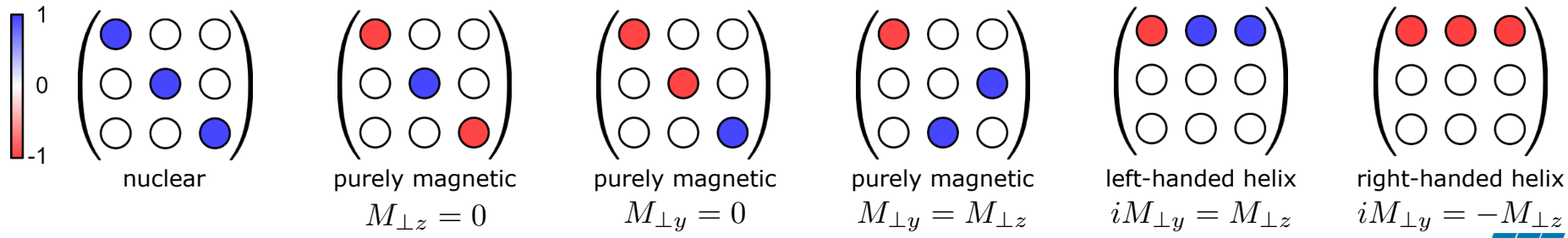
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The Cryopad

The polarization matrix

Polarization matrix elements are elegantly calculated using the **density matrix formalism**:

$$P_f = \frac{\text{Tr}(\boldsymbol{\sigma} \cdot \mathcal{M} \cdot \boldsymbol{\rho} \cdot \mathcal{M}^\dagger)}{\text{Tr}(\mathcal{M} \cdot \boldsymbol{\rho} \cdot \mathcal{M}^\dagger)}$$

$$\boldsymbol{\rho} = \frac{1}{2} \begin{pmatrix} 1 + P_{i,z} & P_{i,x} - iP_{i,y} \\ P_{i,x} + iP_{i,y} & 1 - P_{i,z} \end{pmatrix}$$

density matrix of the
incoming neutron beam

$$\boldsymbol{\sigma} = \begin{pmatrix} P_{f,z} & P_{f,x} - iP_{f,y} \\ P_{f,x} + iP_{f,y} & -P_{f,z} \end{pmatrix}$$

density matrix of the
scattered neutron beam

$$\mathcal{M} = \begin{pmatrix} N + M_{\perp,z} & -iM_{\perp,y} \\ iM_{\perp,y} & N - M_{\perp,z} \end{pmatrix}$$

density matrix of the
scattering system

Allows for **any** direction of \mathbf{P}_i and \mathbf{P}_f



The Cryopad

The polarization matrix

SNP at a glance

Purely nuclear scattering:

\mathbf{P}_i is not affected

Purely magnetic scattering, $\text{Re}(\mathbf{M}_\perp) \parallel \text{Im}(\mathbf{M}_\perp)$:

\mathbf{P}_i is rotated by 180° around \mathbf{M}_\perp

Chiral magnetic scattering, $\text{Re}(\mathbf{M}_\perp) \perp \text{Im}(\mathbf{M}_\perp)$:

\mathbf{P}_i is rotated towards $\pm\mathbf{Q}$
(scattered intensity depends on \mathbf{P}_i , polarization created)

Nuclear-magnetic interference
(in or out of phase):

\mathbf{P}_i is rotated within the plane containing \mathbf{P}_i and \mathbf{M}_\perp
(scattered intensity depends on \mathbf{P}_i , polarization created)

Nuclear-magnetic interference
(in phase quadrature)

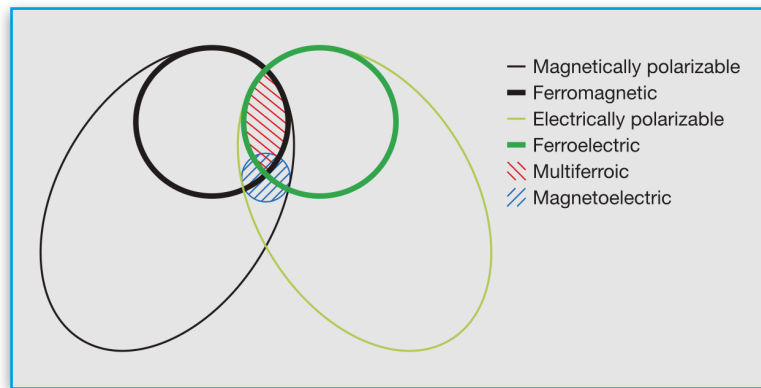
\mathbf{P}_i is rotated towards $\mathbf{P}_i \times \mathbf{M}_\perp$



Examples

Magnetoelectric and multiferroic materials

- Magnetoelectric effect predicted by P. Curie in 1894
- Crosstalk between magnetization and electric polarization
- Multiferroics possess at least two (anti)ferroic orders
- Used as magnetic field sensors and transducers
- Immense potential for non-volatile data storage applications (faster and consumes less energy)
- spin-transfer torque: ~ 10 fJ
- capacitive ME device: ~ 1 aJ (10^4 less)



Eerenstein et al. (2006) *Nature* **442** 759

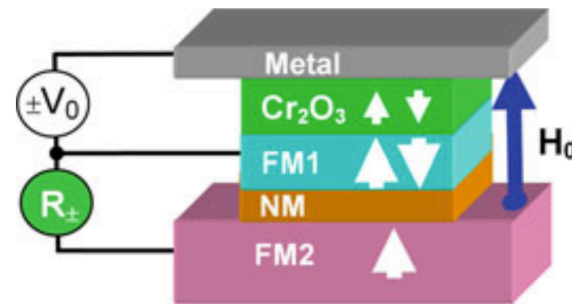


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Magnetic Random Access Memory



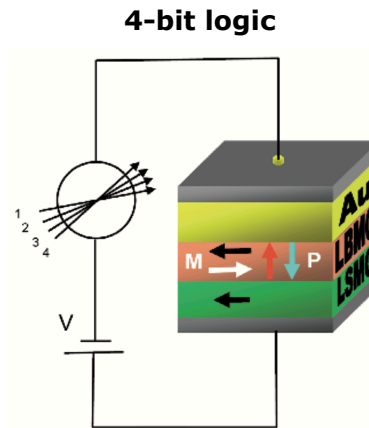
Kleemann and Binek (2013)
Multiferroic and magnetoelectric materials



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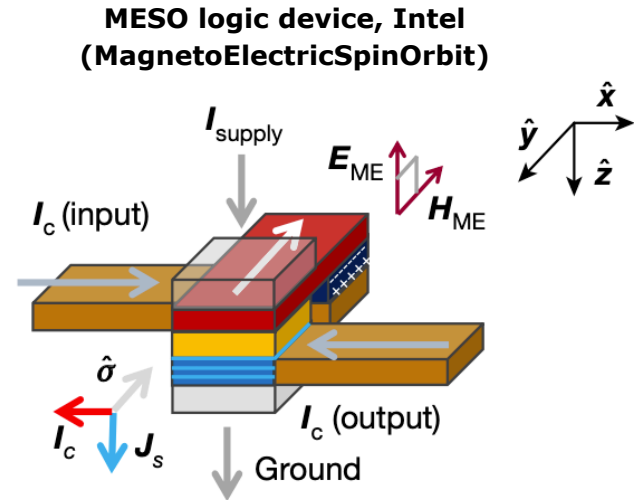
Kleemann and Borisov (2013)
Multiferroic and magnetoelectric materials for spintronics



Examples

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Manipatruni et al. (2019) *Nature* **565** 35

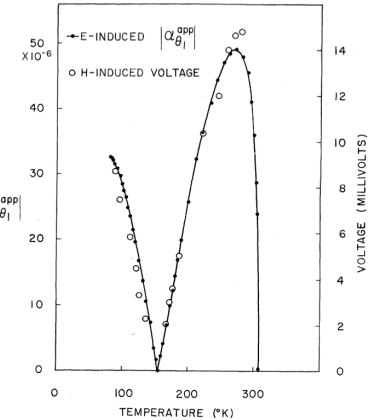
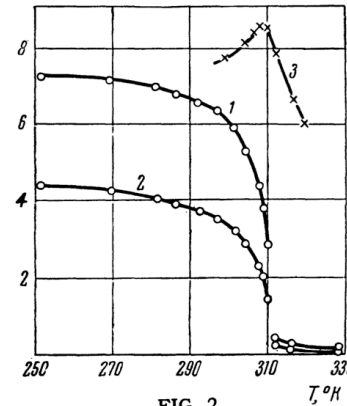


Examples

Cr₂O₃ - the prototype magnetoelectric

- Predicted by Dzyaloshinskii in 1960
- First observation of linear magnetoelectric effect
- $P_i = \alpha_{ij}H_j$ or $M_i = \alpha_{ji}E_j$
- Corundum structure, space group $R\bar{3}c$, $T_N = 307$ K
- Magnetic symmetry ($\bar{3}'m'$) breaks spatial and time-inversion

Astrov (1960) Sov. Phys. JETP **11** 708



Rado and Folen (1961) *Phys. Rev. Lett.* **7** 310

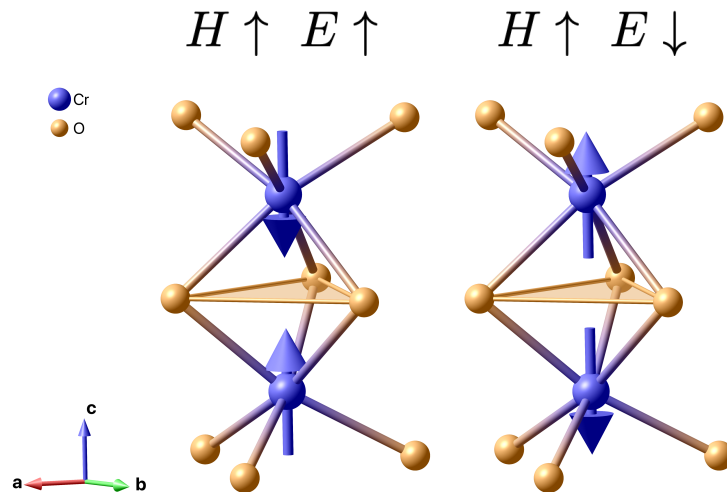


Examples

Cr₂O₃ - sign of magnetoelectric coefficient

- Problem: presence of 180° magnetic domains
- Annealing under field achieves domain selection
- Domains indistinguishable with unpolarized neutrons
- SNP can tell the difference!
- b vertical, $(-1\ 0\ 2)$: $P_i \parallel z$ rotates towards +/- x
- information about sign of magnetoelectric coefficient

Brown, Forsyth and Tasset (1998) *J. Phys.: Condens. Matter.* **10** 663





Examples

Cr₂O₃ - sign of magnetoelectric coefficient

$$\mathbf{P}_{f,i} = \begin{pmatrix}
 p_{fx} \frac{p_{tx}(N^2 M_{\perp}^2) - J_{yz}}{I_x} & p_{fy} \frac{p_{ty} J_{xz} - J_{yz}}{I_y} & p_{fx} \frac{p_{tz} J_{ny} - J_{yz}}{I_z} \\
 p_{fy} \frac{p_{tx} I_{nz} + R_{ny}}{I_x} & p_{fy} \frac{p_{iy}(N^2 + M_{\perp y}^2 - M_{\perp z}^2) + R_{ny}}{I_y} & p_{fy} \frac{p_{tz} R_{yz} + R_{ny}}{I_z} \\
 p_{fz} \frac{-p_{ix} J_{ny} + R_{nz}}{I_x} & p_{fz} \frac{p_{iy} R_{yz} + R_{nz}}{I_y} & p_{fz} \frac{p_{tz}(N^2 M_{\perp y}^2 + M_{\perp z}^2) + R_{nz}}{I_z}
 \end{pmatrix}$$

- Presence of polar magnetic domains
- Annealing under electric field gives domain selection

• Domains indistinguishable with unpolarised neutrons

• SNP can be different

- $b \parallel z$, moments along $c \rightarrow$ no z component

• b vertical

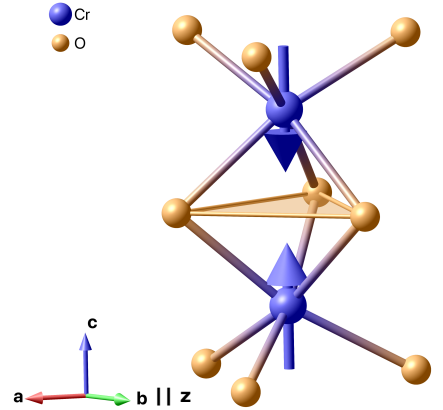
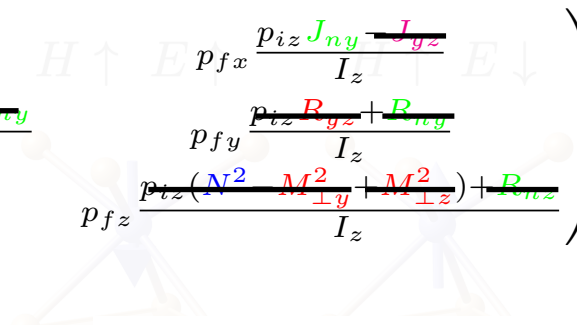
- $(-1 \ 0 \ 2)$ at room temperature: $N \approx M_{\perp y}$

• information

- $\Im(N) = 0 \quad \Re(M_{\perp}) = 0 \rightarrow$ No real interference terms

Brown, Forsyth and Tasset (1998) J. Phys.: Condens. Matter. 10 663

$$R_{ny} = 2\Re(NM_{\perp y}^*) \quad J_{ny} = 2\Im(NM_{\perp y}^*)$$





Examples

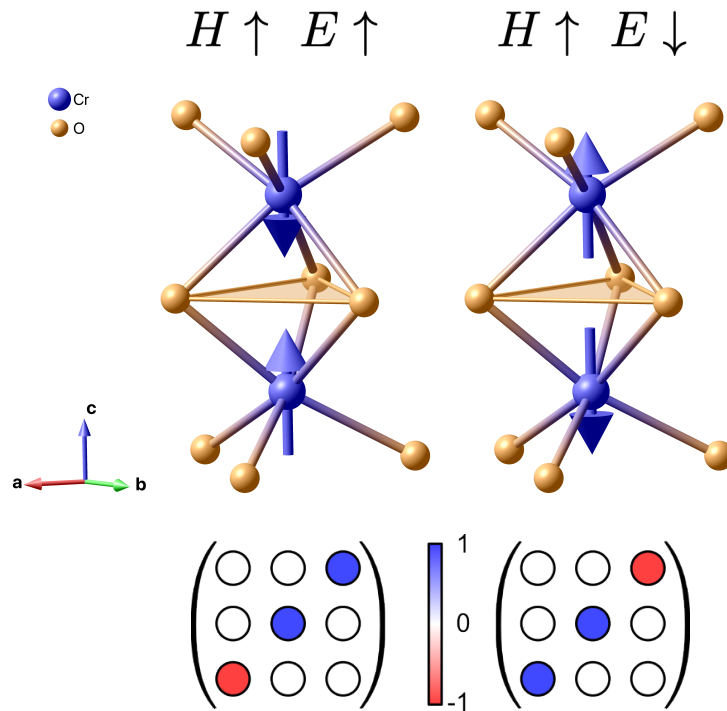
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Brown, Forsyth and Tasset (1998) *J. Phys.: Condens. Matter.* **10** 663

(reported sign was wrong... reanalyzed and rectified)

Bousquet et al. (2024) *J. Phys.: Condens. Matter.* **36** 155701

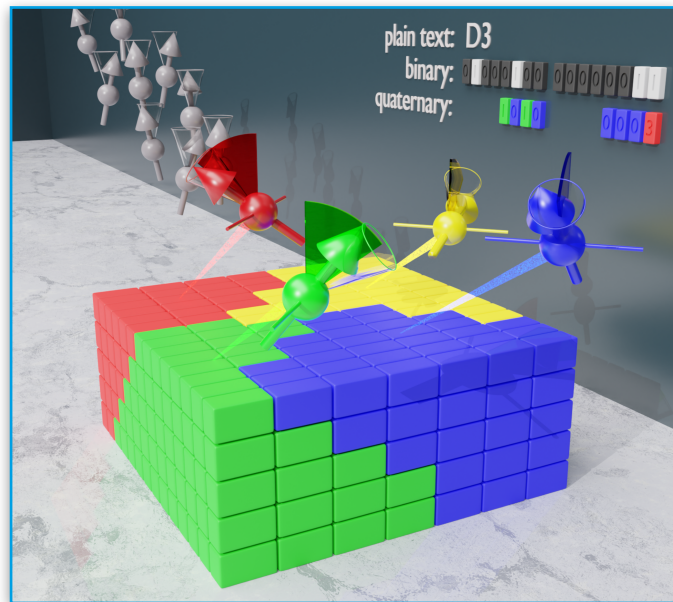




Examples

LiNi_{0.8}Fe_{0.2}PO₄ - bulk AF quaternary memory

- Slowing down of Moore's law requires paradigm change
- Literature: quaternary memory only with ferro component
- LiNi_{0.8}Fe_{0.2}PO₄ reveals four magnetic domains
- **E** x **H** field cooling can achieve domain selection
- SNP can tell the difference between the domains



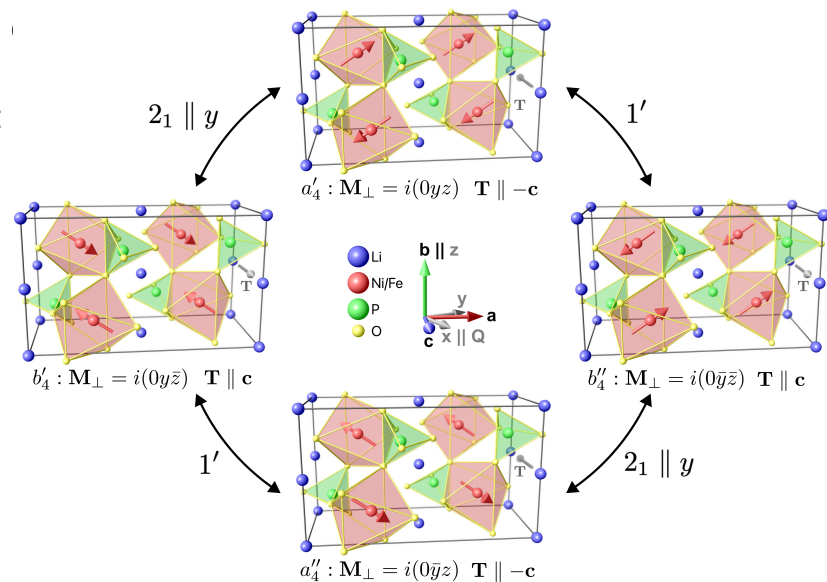
Qureshi et al. (2026) *Nat. Commun.*



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Qureshi et al. (2026) *Nat. Commun.*

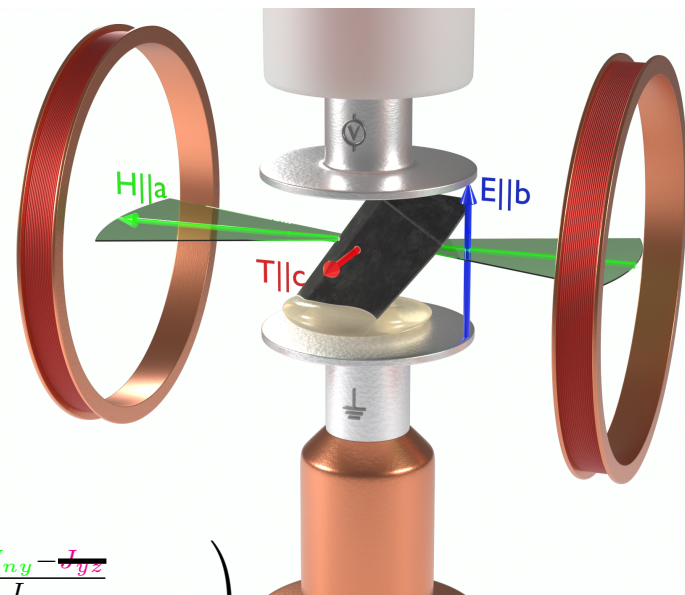


Examples

LiNi_{0.8}Fe_{0.2}PO₄ - bulk AF quaternary memory

- $b \parallel z$, $\mathbf{E} \times \mathbf{H}$ in a - c plane
- (101) has nuclear and magnetic contribution
- Antiparallel spins related by $1'$ $\rightarrow \Re(M) = 0$
- b component $\rightarrow J_{nz} = 2\Im(NM_{\perp z}^*)$
- a component $\rightarrow J_{ny} = 2\Im(NM_{\perp y}^*)$

$$\mathbf{P}_{f,i} = \begin{pmatrix} p_{fx} \frac{p_{ix}(N^2 - M_{\perp}^2) - J_{yz}}{I_x} & p_{fy} \frac{-p_{iy}J_{nz} - J_{yz}}{I_y} & p_{fz} \frac{p_{iz}J_{ny} - J_{yz}}{I_z} \\ p_{fy} \frac{p_{ix}J_{nz} + R_{ny}}{I_x} & p_{fy} \frac{p_{iy}(N^2 + M_{\perp y}^2 - M_{\perp z}^2) + R_{ny}}{I_y} & p_{fy} \frac{p_{iz}R_{yz} + R_{ny}}{I_z} \\ p_{fz} \frac{-p_{ix}J_{ny} + R_{nz}}{I_x} & p_{fz} \frac{p_{iy}R_{yz} + R_{nz}}{I_y} & p_{fz} \frac{p_{iz}(N^2 - M_{\perp y}^2 + M_{\perp z}^2) + R_{nz}}{I_z} \end{pmatrix}$$

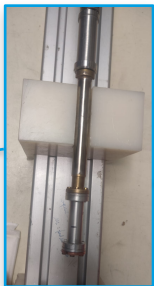




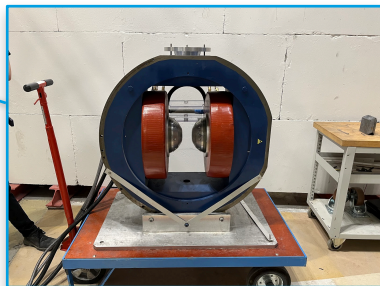
Examples

$\text{LiNi}_{0.8}\text{Fe}_{0.2}\text{PO}_4$ - bulk AF quaternary memory

closed
electric-field stick

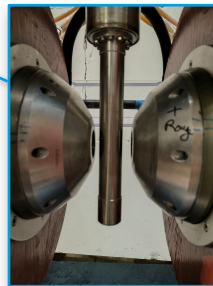
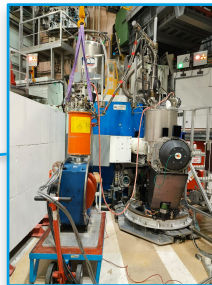


single crystal glued on
capacitor plate



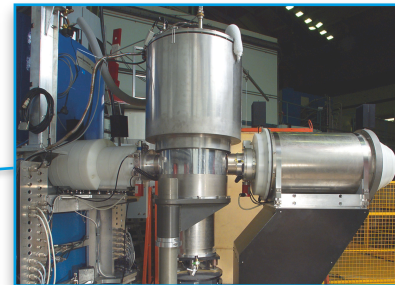
D3's electromagnet

D3's zone



thin-tail inside magnet

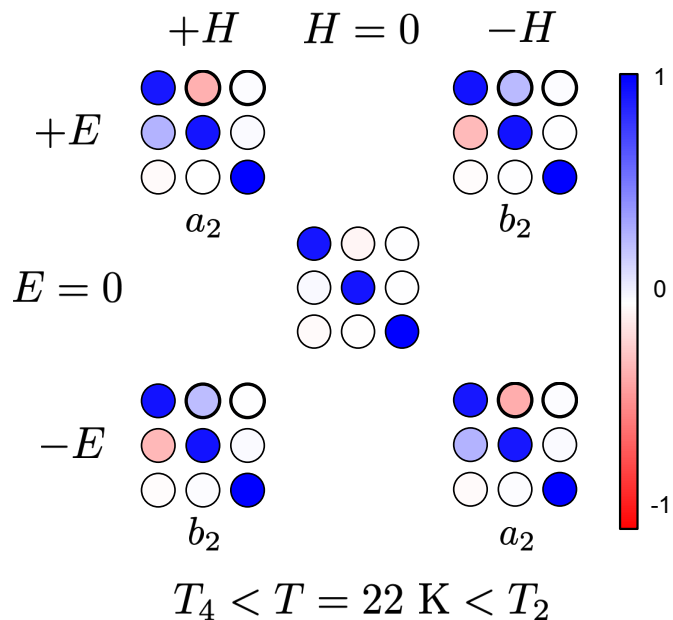
cryostat inside Cryopad





Examples

LiNi_{0.8}Fe_{0.2}PO₄ - bulk AF quaternary memory



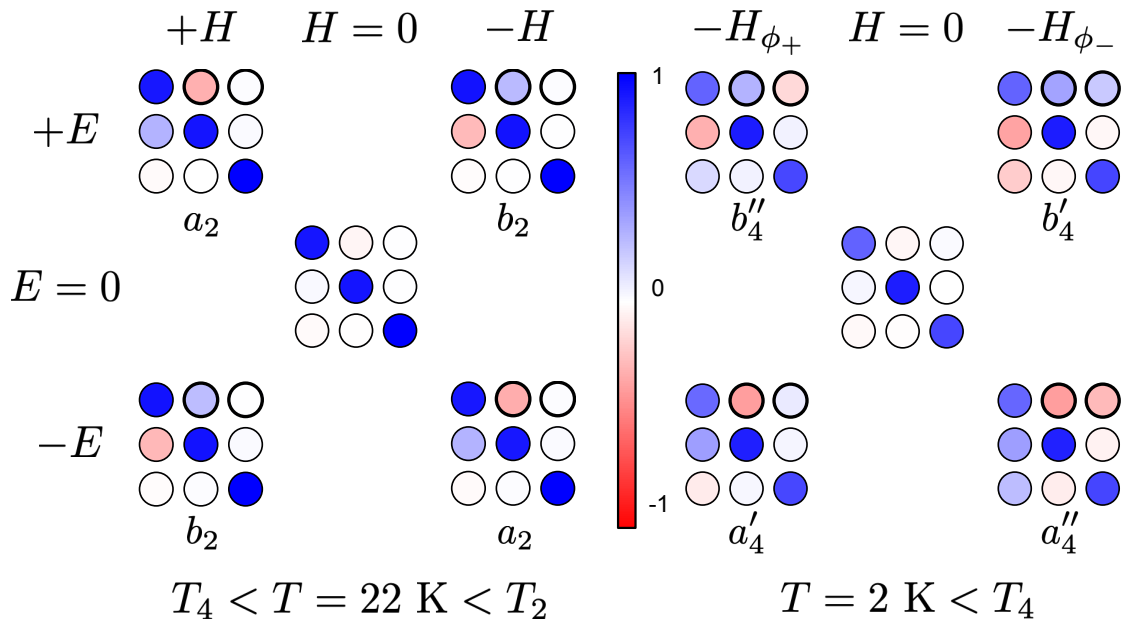
Majority domain: up to 91(2)%

Introduction to SNP | Navid Qureshi

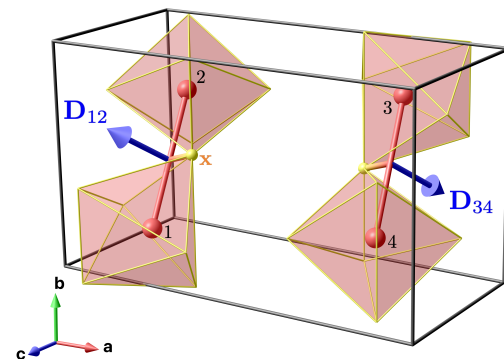


Examples

LiNi_{0.8}Fe_{0.2}PO₄ - bulk AF quaternary memory



- $\mathbf{E} \times \mathbf{H}_a$ selects toroidal domain
- \mathbf{H}_c selects rotation domain (DM)



$$\mathcal{H}_{1b}^{\text{DM}} = -D_{12}^b (S_1^a S_2^c - S_1^c S_2^a - S_3^a S_4^c + S_3^c S_4^a)$$

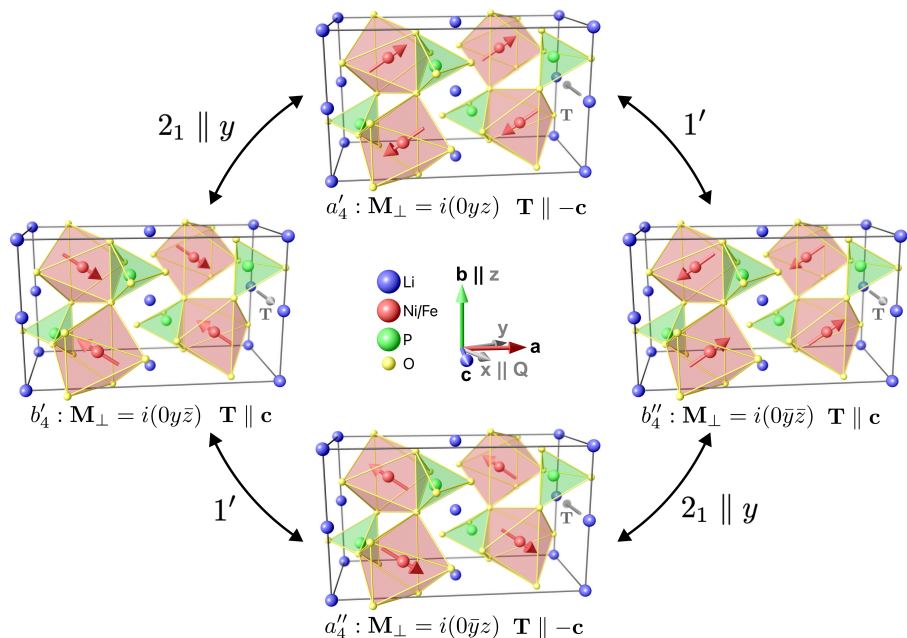
Majority domain: up to 91(2)%

up to 66(2)%

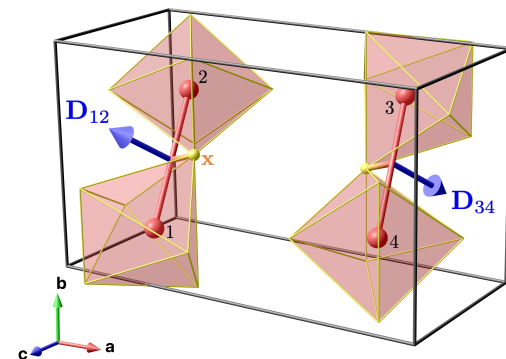


Examples

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- $\mathbf{E} \times \mathbf{H}_a$ selects toroidal domain
- \mathbf{H}_c selects rotation domain (DM)

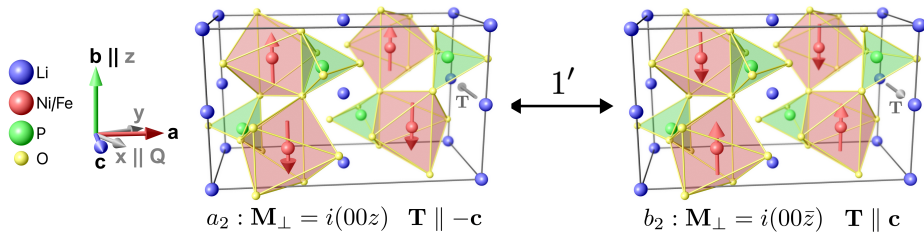


$$\mathcal{H}_{1b}^{\text{DM}} = -D_{12}^b (S_1^a S_2^c - S_1^c S_2^a - S_3^a S_4^c + S_3^c S_4^a)$$



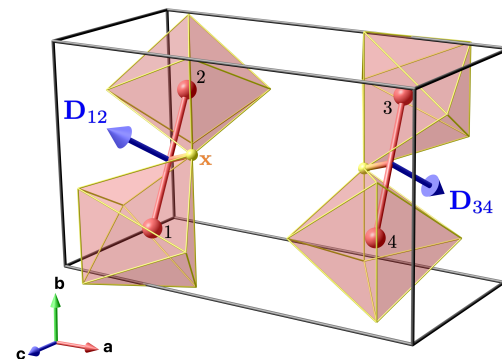
Examples

LiNi_{0.8}Fe_{0.2}PO₄ - bulk AF quaternary memory



H-only cooling: 33(2)% : 67(2)%

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- \mathbf{H}_c selects rotation domain (DM)



$$\mathcal{H}_{1b}^{\text{DM}} = -D_{12}^b (S_1^a S_2^c - S_1^c S_2^a - S_3^a S_4^c + S_3^c S_4^a)$$

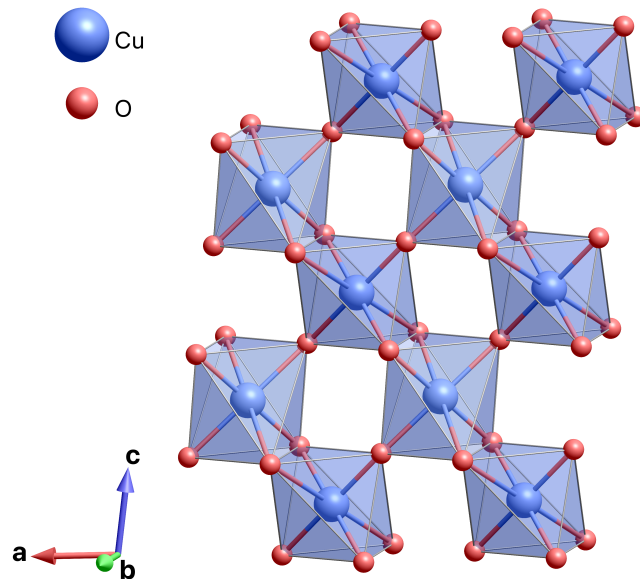
$$\mathcal{H}_{1c}^{\text{DM}} = D_{12}^c (S_1^a S_2^b - S_1^b S_2^a - S_3^a S_4^b + S_3^b S_4^a)$$



Examples

CuO - a high-T multiferroic

- so far the only known binary multiferroic compound
- monoclinic space group $C2/c$
- spiral magnetic ordering induces electric polarisation at 230 K
- DFT + MC: applying pressure drives multiferroic state towards RT
- recently confirmed by neutron diffraction under pressure

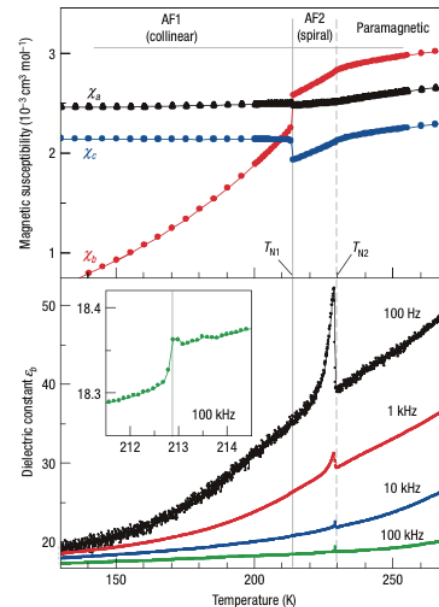




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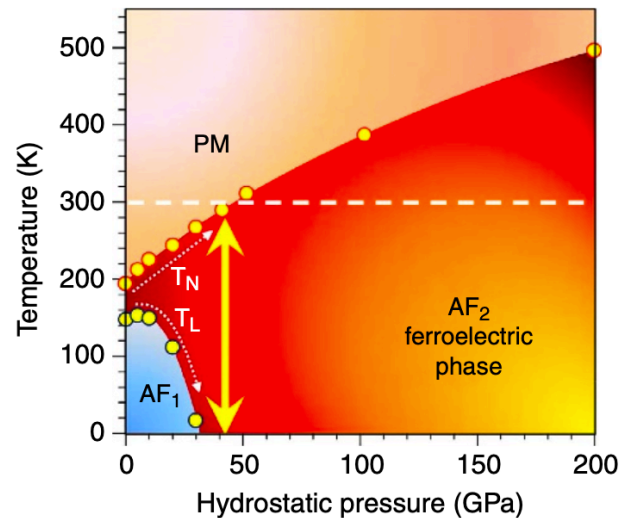
Kimura et al. (2008) *Nat. Mater.* **7** 291



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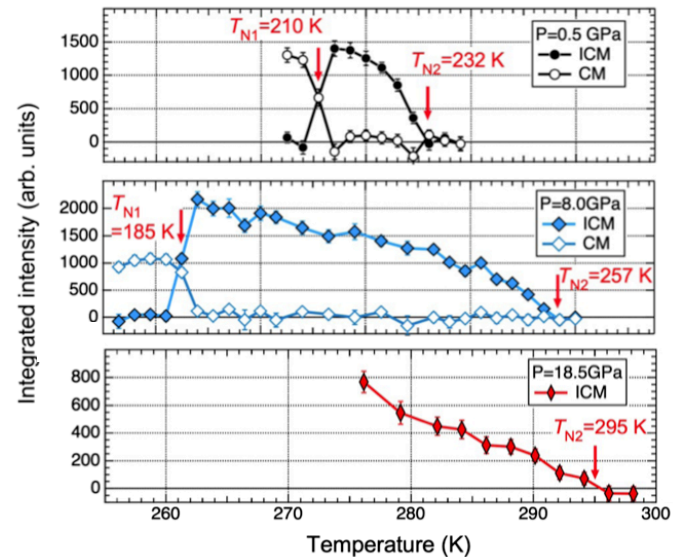
Rocquefelte et al. (2013) *Nat. Mater.* **4** 2511



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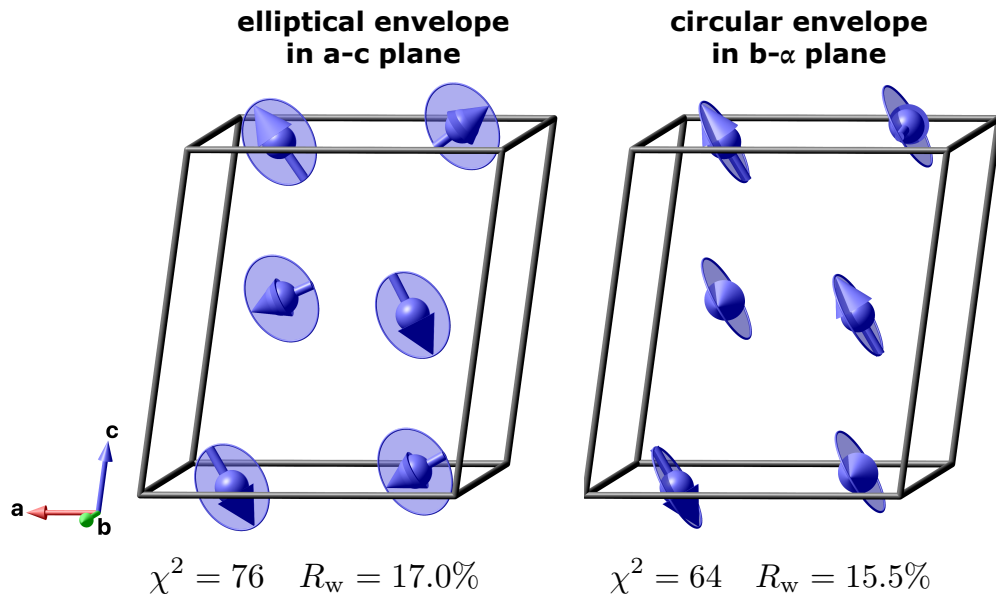
Terada et al. (2022) *Phys. Rev. Lett.* **129** 217601



Examples

CuO - a high-T multiferroic

- CuO is a building block of high-T_c cuprates
- magnetism in CuO → hole pairing mechanism?
- unpolarized neutrons: model ambiguity



Forsyth, Brown et al. (1988) *J. Phys. C: Solid State Phys.* **21** 2917

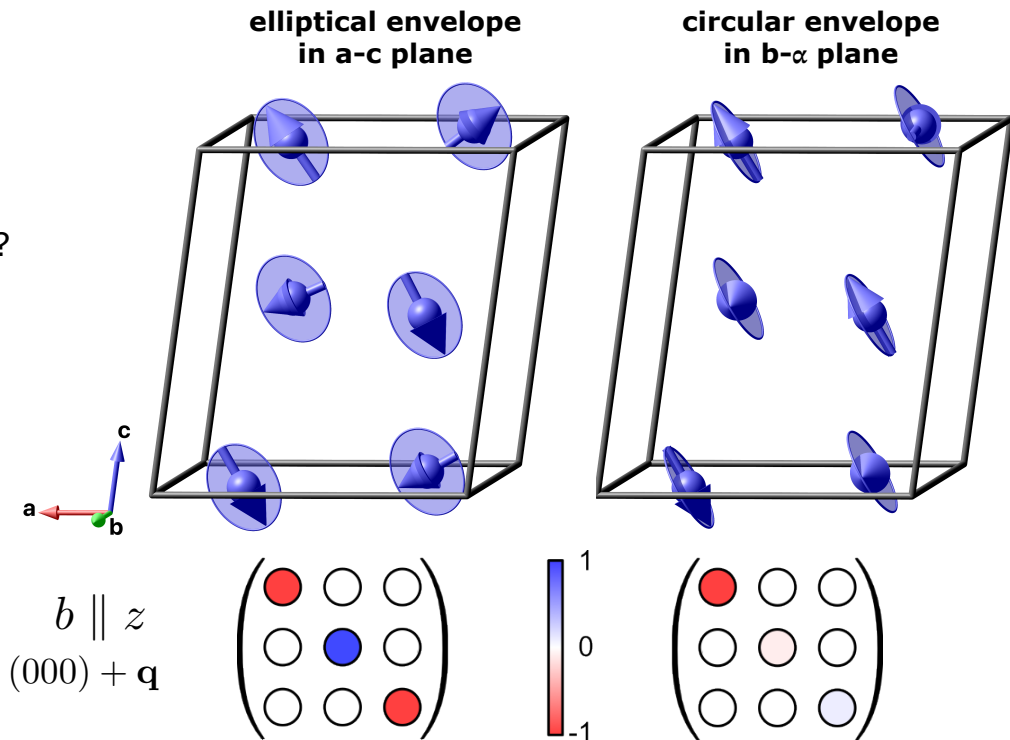
Brown, ..., Forsyth, ... and Tasset (1991) *J. Phys.: Condens. Matter.* **3** 4281



Examples

CuO - a high-T multiferroic

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- unpolarized neutrons: model ambiguity
- correct model determined by SNP
- superior to unpolarized neutrons especially for weak reflections and non-collinear structures

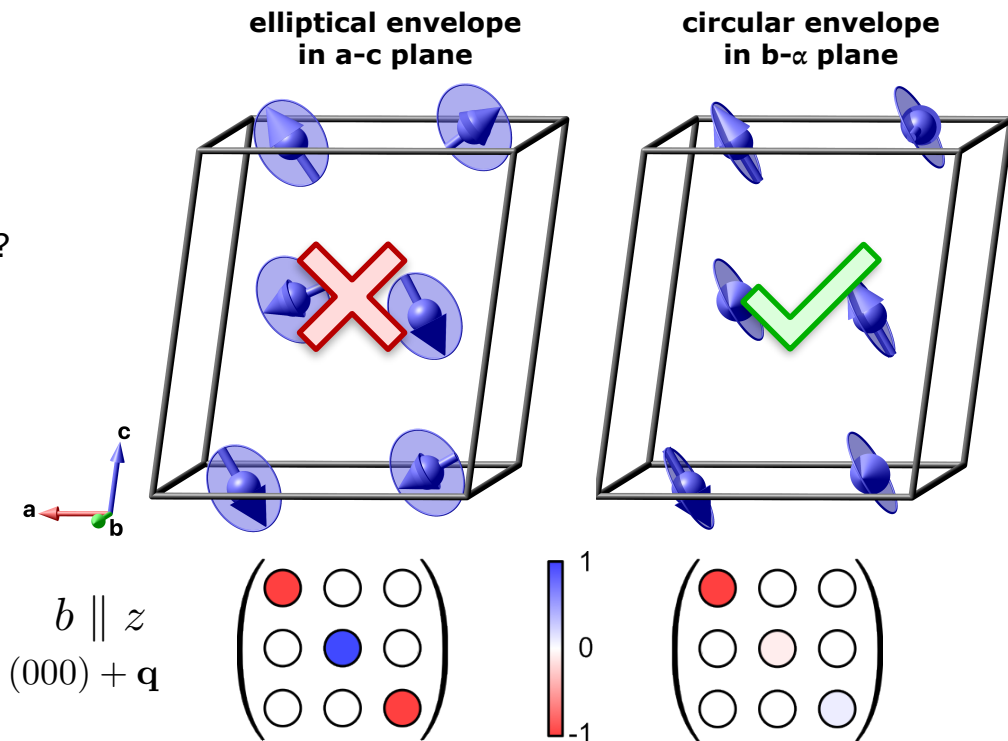




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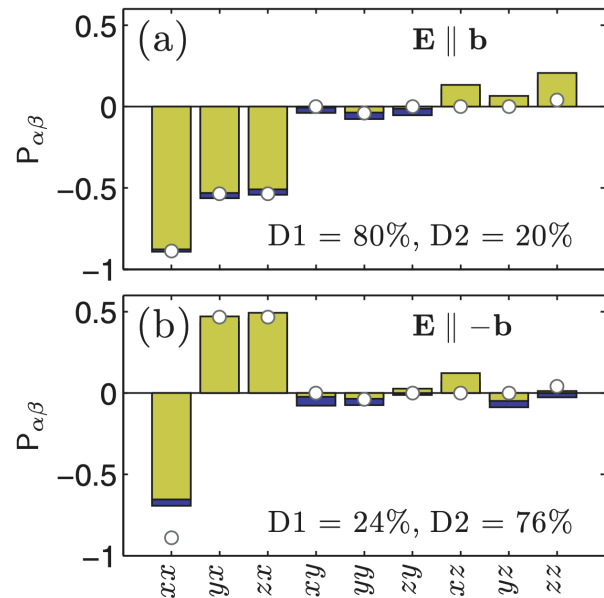




Examples

CuO - switching behavior

- strong coupling between magnetic order and electric polarization
- electric field control of chiral domains
- magnetic chirality is inaccessible with unpolarized neutrons
- SNP can tell the difference



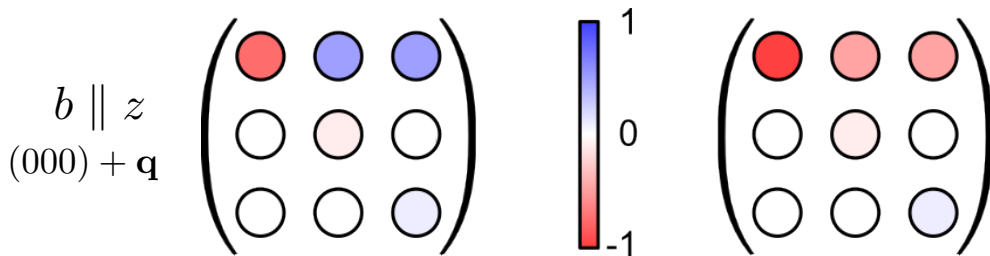
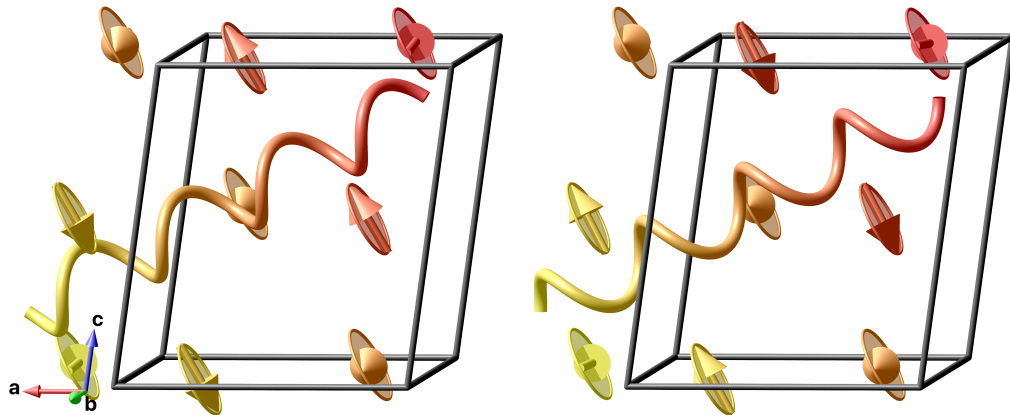
Babkevich et al. (2012) *Phys. Rev. B* **85** 134428



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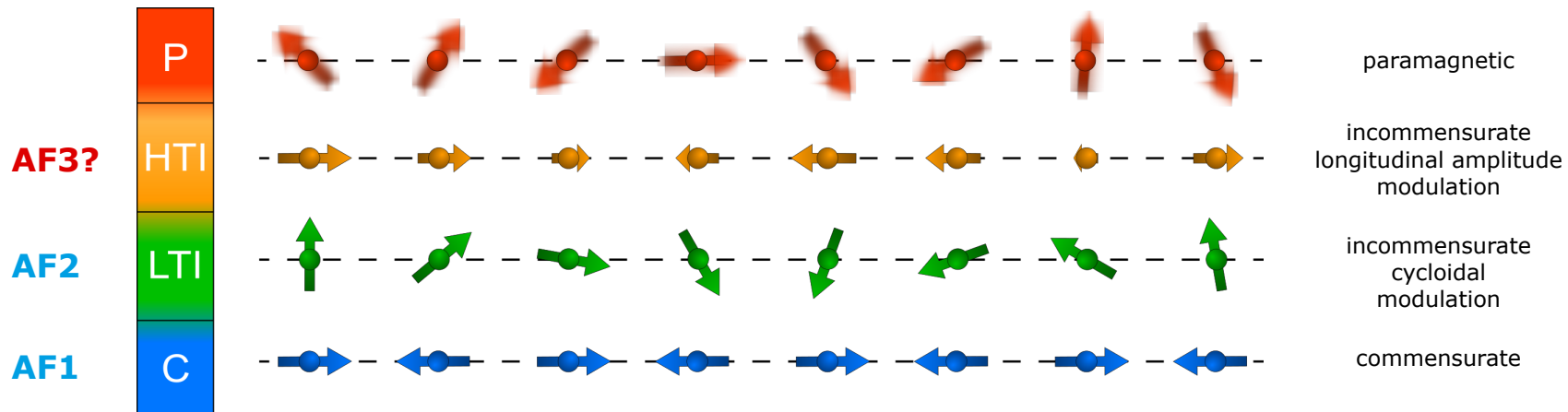




Examples

CuO - search for the AF3 phase

usual sequence of magnetic phases in multiferroics (e.g. TbMnO_3 , $\text{Ni}_3\text{V}_2\text{O}_8$):

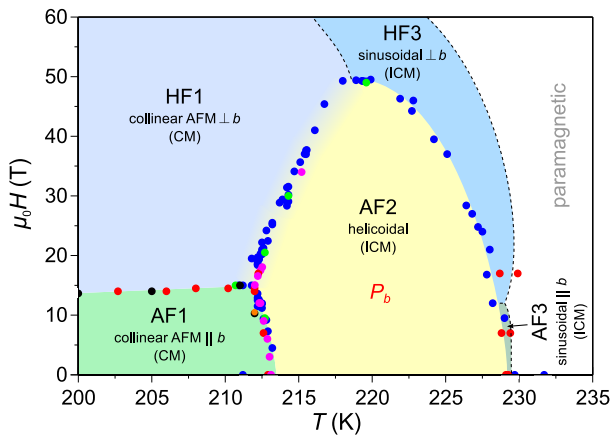




Examples

CuO - search for the AF3 phase

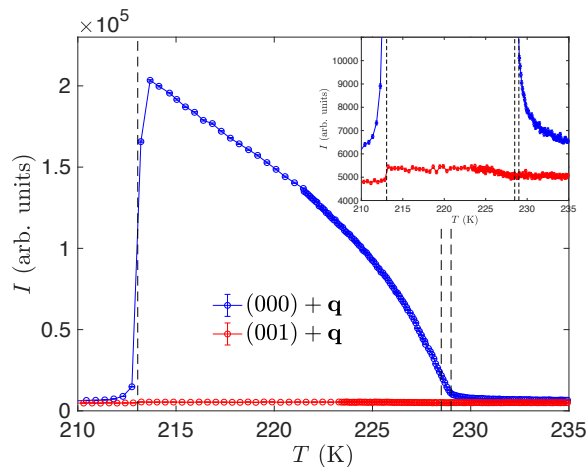
macroscopic methods



0.5 K stability range!

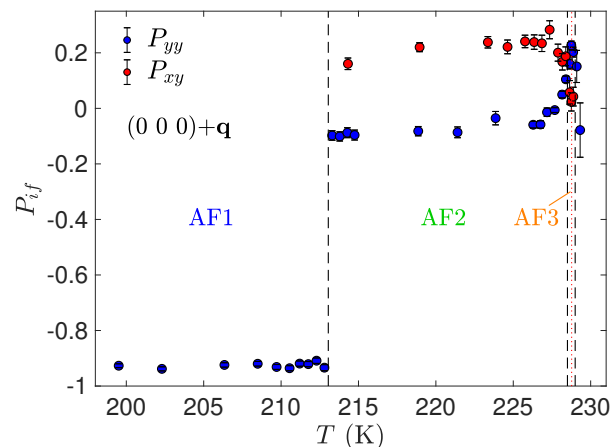
Wang, Qureshi et al. (2016) *Nat. Commun.* **7** 10295

unpolarized neutrons



No anomalies in $I(T)$

SNP on P_{yy} and P_{xy} elements



Microscopic proof of AF3!

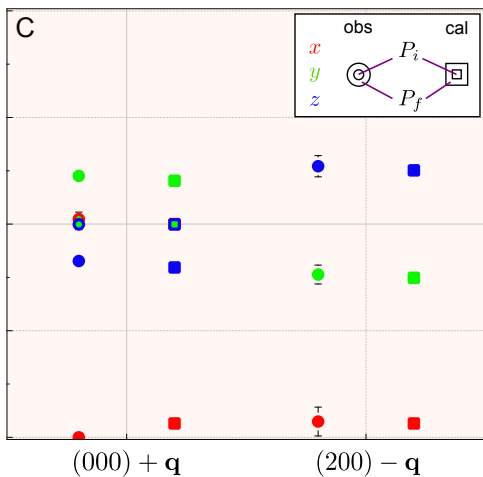
Qureshi et al. (2020) *Sci. Adv.* **6** eaay7661



Examples

CuO - search for the AF3 phase

observed vs. calculated

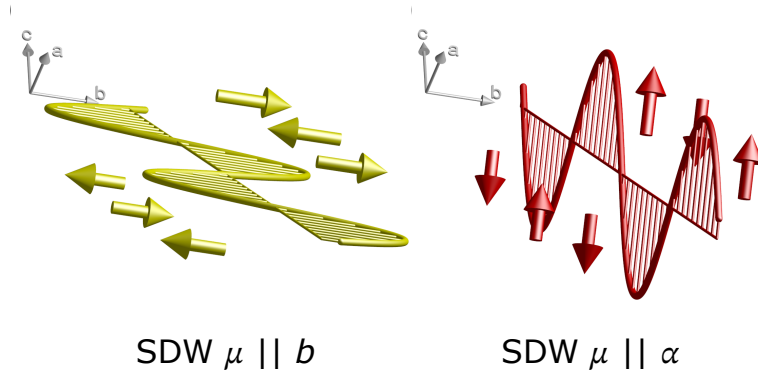


analyzed with



Qureshi (2019) *J. Appl. Cryst.* **52** 175

phase coexistence



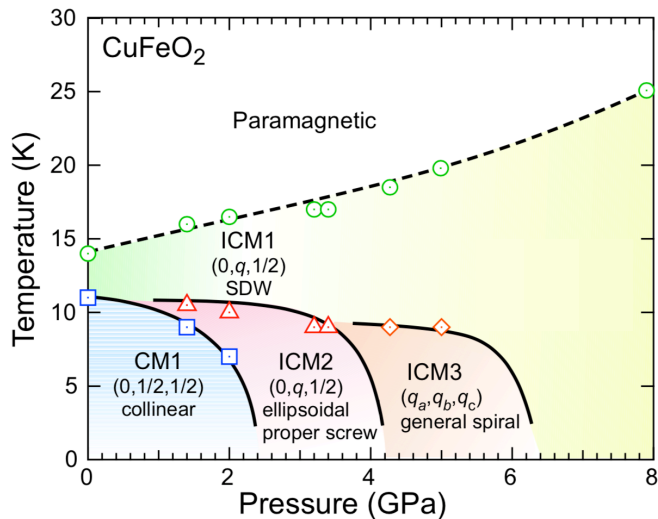


Examples

CuFeO₂ - pressure-induced multiferroicity

Complex p-T phase diagram

including collinear spin-density waves and non-collinear spiral structures

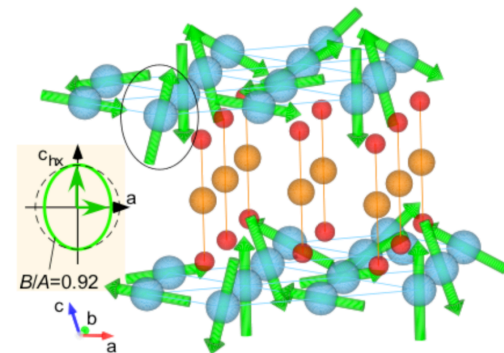


Lack of information

Limited number of observations (integrated intensities) did not allow to reveal:

Terada et al. (2014) *Phys. Rev. B* **83** 220403(R)

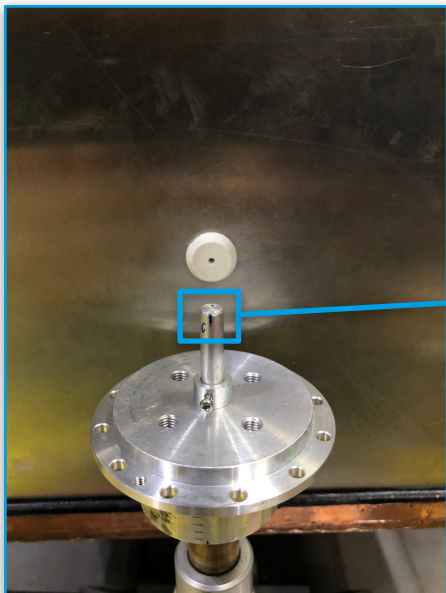
- stability region of ICM1
- ellipsoidicity ratio of ICM2
- magnetic structure of ICM3





Examples

CuFeO₂ - pressure-induced multiferroicity



0.5 x 0.5 x 0.2 mm³



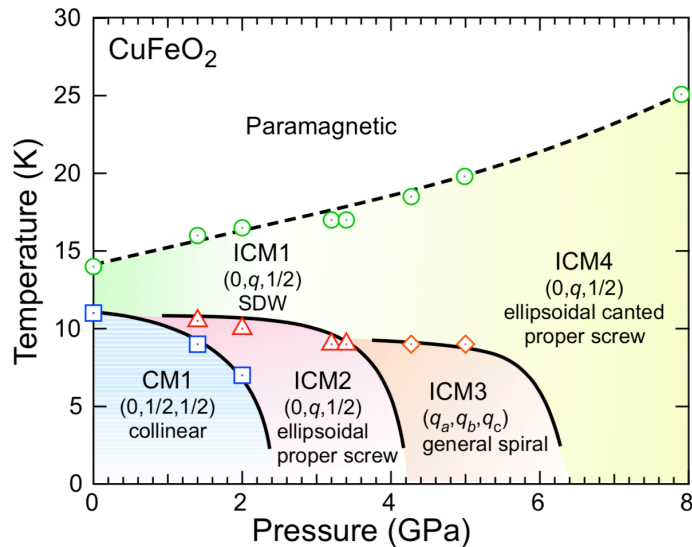
non-magnetic pressure cell (up to 10 GPa)



Examples

CuFeO₂ - pressure-induced multiferroicity

- SNP under pressure: It's possible!!!
- Determined 5 complex magnetic structures at 3 different pressures in 7 days with a 0.05 mm³ sample
- SNP is an excellent approach to study novel pressure-induced phenomena associated with complex magnetic order



Terada, Qureshi et al. (2018) *Nat. Commun.* **9** 4368



Conclusions

SNP - strengths and limitations

SNP is a very powerful technique for the determination of complex magnetic structures and magnetic domain populations, but there are limitations...

- SNP yields the precise direction of the magnetic interaction vector
- A few reflections are sufficient to determine the magnetic structure uniquely
- Scattering from a multi-domain state \rightarrow depolarization occurs (strength: distinguish between depolarization and rotation away from polarization/analysis axis)
- Ferro- and ferrimagnetic samples depolarize the beam
- If purely magnetic scattering \rightarrow no information about the magnetic moment amplitude or magnetic moment configuration (e.g. *A*, *G* or *C* modes)
- Nuclear and magnetic scattering \rightarrow precise knowledge of the nuclear structure is beneficial



Conclusions

SNP and its application to condensed matter physics

- SNP is a powerful technique without alternatives for certain scientific challenges
- Magnetic domain sensitivity makes it the ideal probe for switching behavior of smart materials
- Weak signals (small moments, small samples, thin films) are no problem as long as different from background
- Importance for future spintronic candidates



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